



MODIFIED
ASPHALT
RESEARCH
CENTER

Low Temperature Pooled Fund Study Phase II

Task 2 - Physical Hardening of Binders and Mixtures

***Task 3 - Development of the Single-Edge Notched
Beam (SENB) Test***

***Task 5 - Modeling Asphalt Mixtures Contraction-
Expansion***

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Objectives Task 2

1. Develop method to simplify measurements of physical hardening
2. Model to adjust **Stiffness and m-value** based on climatic condition
3. Collect physical hardening for variety of asphalt binders
4. Use **T_g** to quantify effect of isothermal storage on dimensional stability of asphalt mixtures
5. Effect of PPA, WMA additives, and Polymers on physical hardening

Physical hardening (aging)- *Not a new topic*

- It is caused by **time dependent isothermal changes in specific volume.**
- It is similar to reducing temperature.
 - Effect completely removed when material is heated to room temperatures.
- Physical hardening for polymers can be explained by free volume theory in Glass Transition region (Struik (1978) and Ferry (1980))

Physical Hardening Model For Asphalt Binders (1) and (2)

- Mechanism of gradual particle rearrangement toward lower free volume, resulting in gradual increase in stiffness, can be described as a “creep” behavior.

Temp dependant “stress” term

Kelvin-Voigt Model Structure

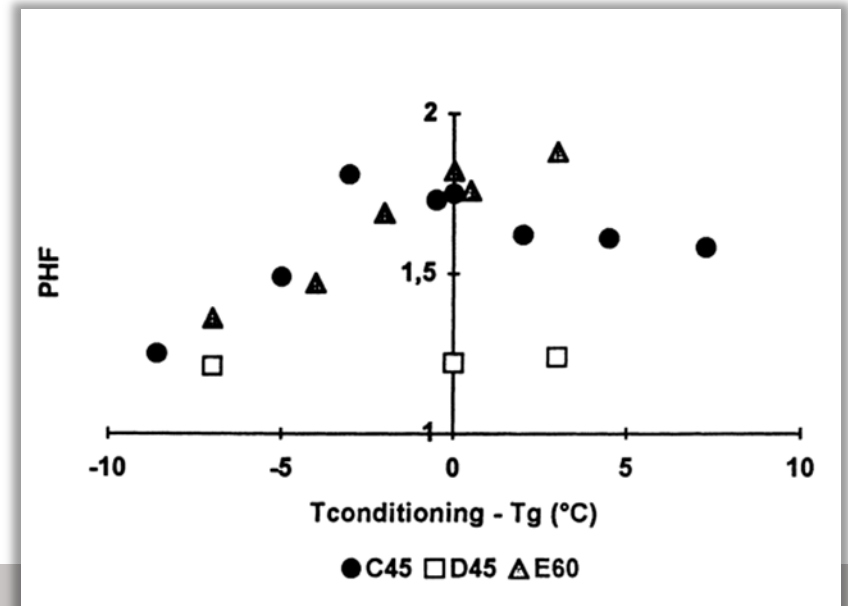
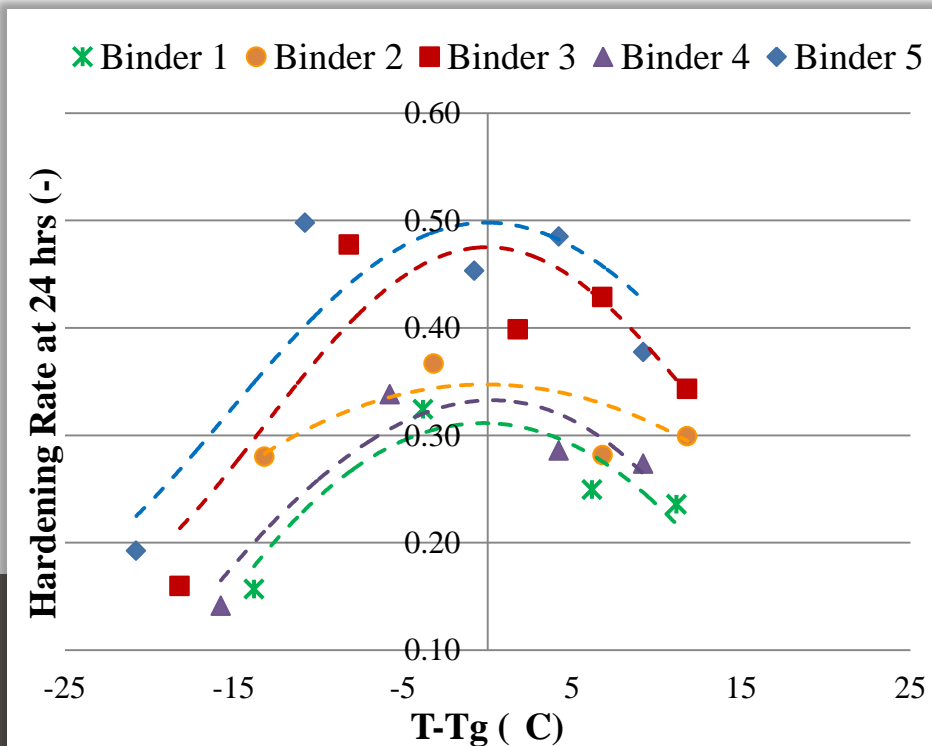
- In which:

- ϵ_{PH} is isothermal contraction
- $\Delta S/S_0$ is the hardening rate
- T_0 is the peak temperature for hardening rate, assumed to be the T_g (C)
- T is the conditioning temperature (C)
- t_c is the conditioning time (hrs)
- $2x$ is the length of the temperature range of the glass transition region (C)
- G and η are model constants, derived by fitting the model

$$\epsilon_{PH} = \frac{e^{\frac{-9(T-T_0)^2}{(2x)^2}}}{G} \left(1 - e^{-t_c \frac{G}{\eta}} \right) \propto \frac{\Delta V}{V_0} \propto \frac{\Delta S}{S_0}$$

Physical Hardening and Temperature

- Physical hardening for 40 binders investigated:
 - Physical hardening was small at $T \gg T_g$
 - Physical hardening peaked at $T \approx T_g$
 - In half of binders, physical hardening was less at $T_c < T_g$



(Planche et al., 1998)

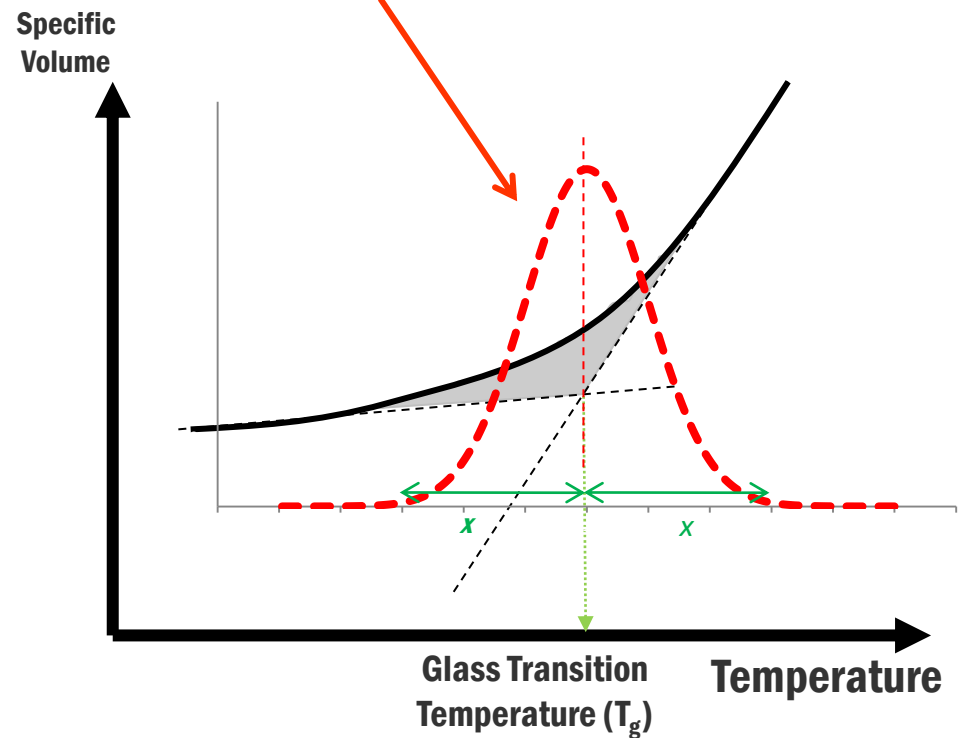
Physical Hardening Model (1) and (2)

- Physical hardening is limited to glass transition region
- Physical hardening Rate peaks at T_g

(Hardening rate = $\Delta S/S_0$)

Temp dependant "stress" term

$$\frac{-a(T-T_0)^2}{e^{(2x)^2}}$$



Obtaining parameters of physical hardening model (2)

First approach:

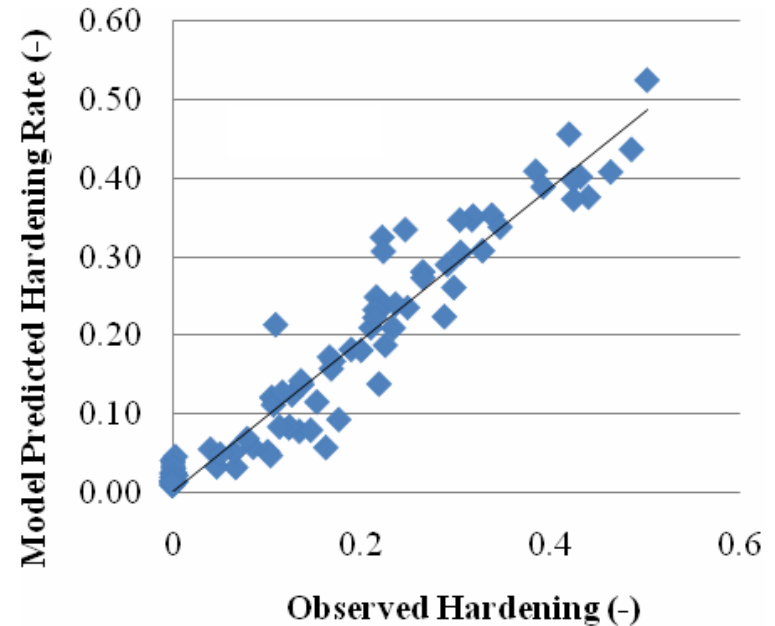
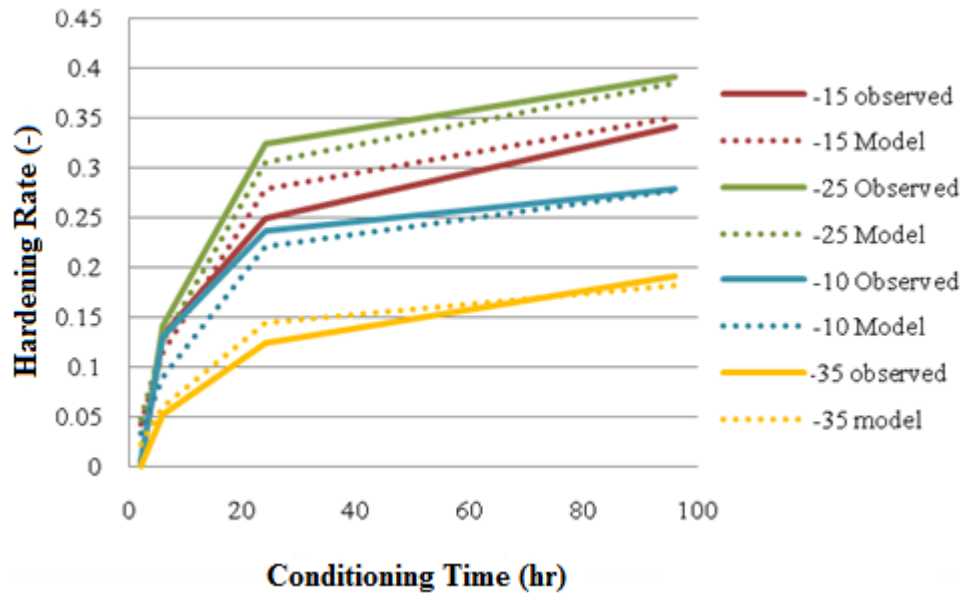
- 1. Run BBR test for sample at 3 conditioning times (i.e. 1, 3, and 6 hrs, or longer!)**
- 2. Use Glass Transition temperature (T_g) and length of T_g region from binder T_g test.**
 - *The longer the test duration, higher the accuracy*

Obtaining parameters of physical hardening model (2)

Second approach:

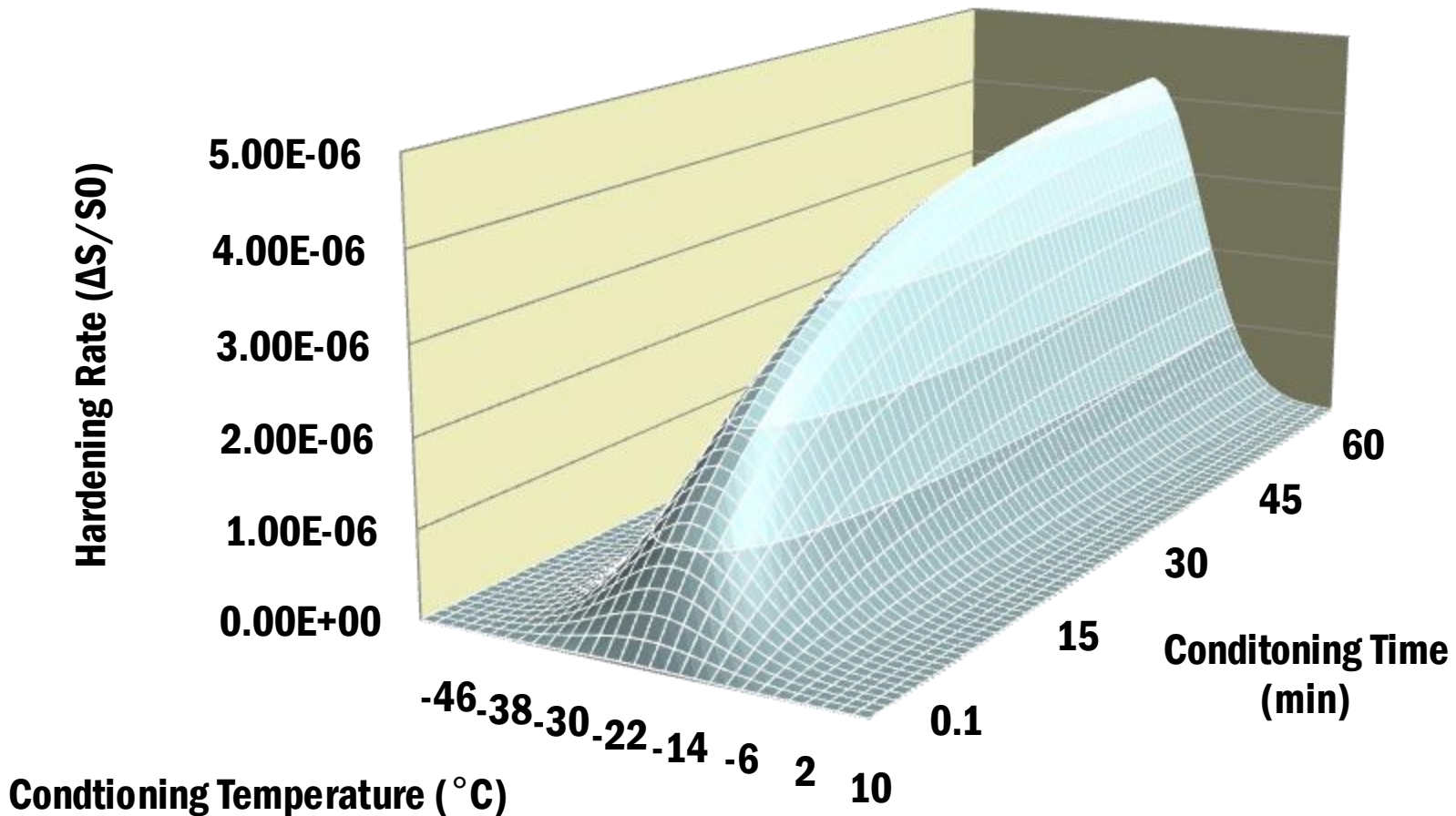
1. Run BBR test at 1 hr conditioning time at 3 temperatures, as in performance grading
 2. Calculate power law slope, B .
 3. Use B along with T_g and length of T_g region from glass transition test to predict model parameters G and η
- *G and η are unique for every binder, thus constant at all conditioning times and temperatures*
 - *T_g may be indirectly estimated from BBR conditioning tests at 3 temperatures*

Goodness of Fit of PH model for Binders (1) (2), and (3)



Comparison of model with experimental data. (Hardening rate= $\Delta S/S_0$)

3D Representation of Model

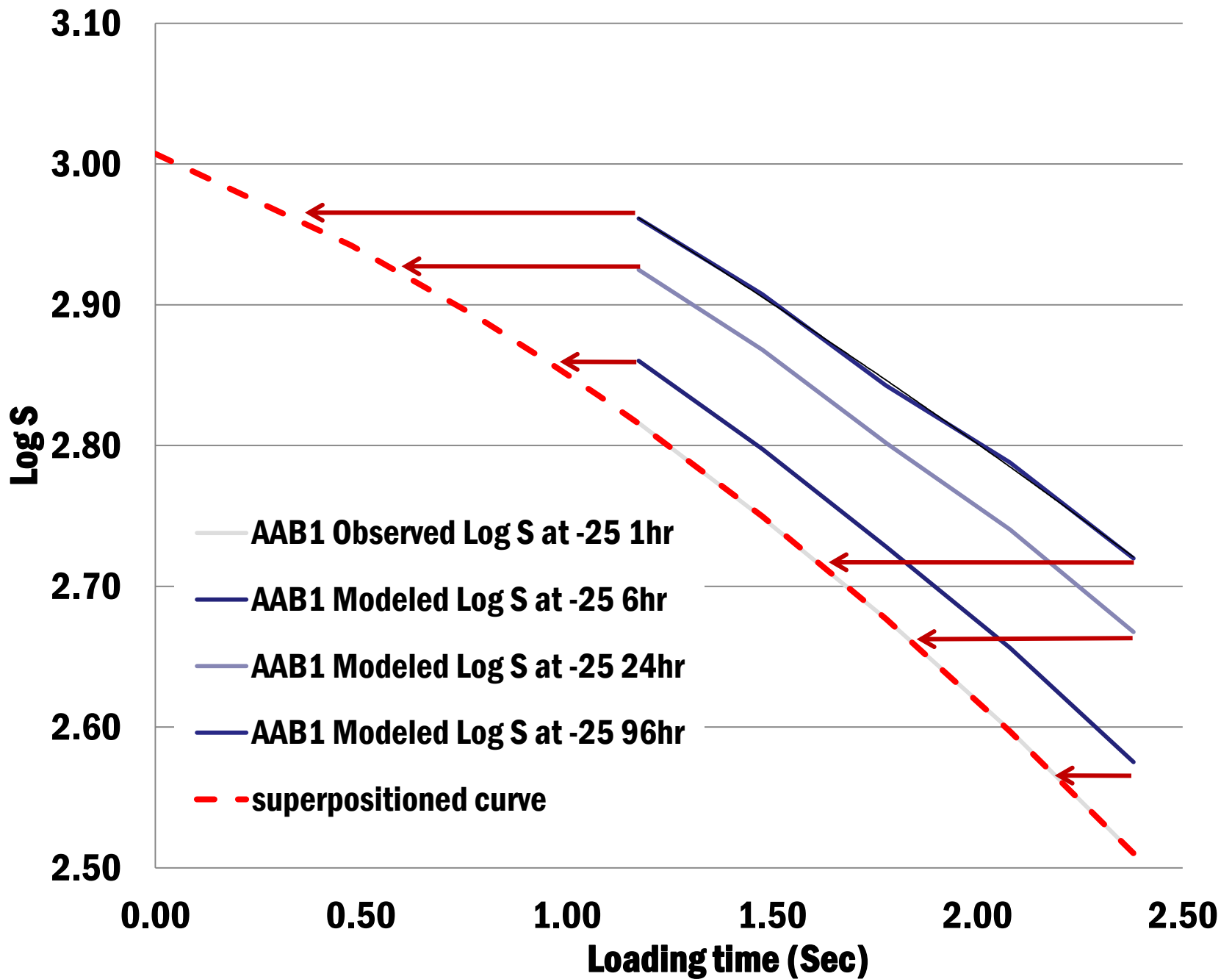


• $T_g = -20$ C

m-value calculation from model

- It has been shown that time-temperature superposition holds for hardening (Bahia and Anderson, 1993)
- The $m(x)_{t_c=Y}$ is the m-value after x seconds of loading time after Y hr of isothermal conditioning
- According to time-temp super position:

$$m(60)_{t_c=Y} = m(x)_{t_c=1}$$

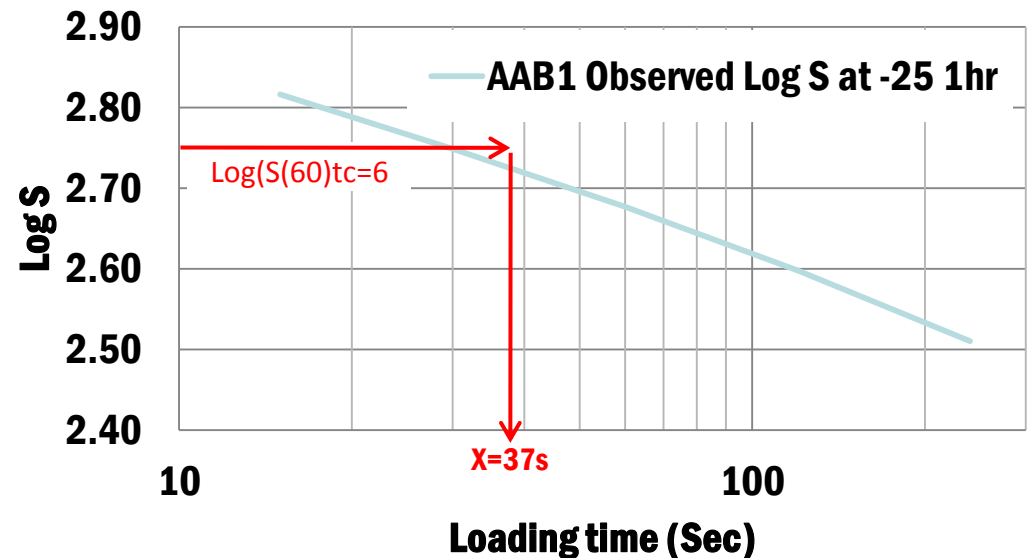


m-value calculation from model

- Use physical hardening model to predict $S(60)$ at different conditioning times: $S(60)_{t_c=Y}$
- Find equal $S(x) = S(60)_{t_c=Y}$, on $\text{Log}(S)$ - $\log(t)$ at $t_c=1$ hr curve.
- Find m-value for time x , and use:

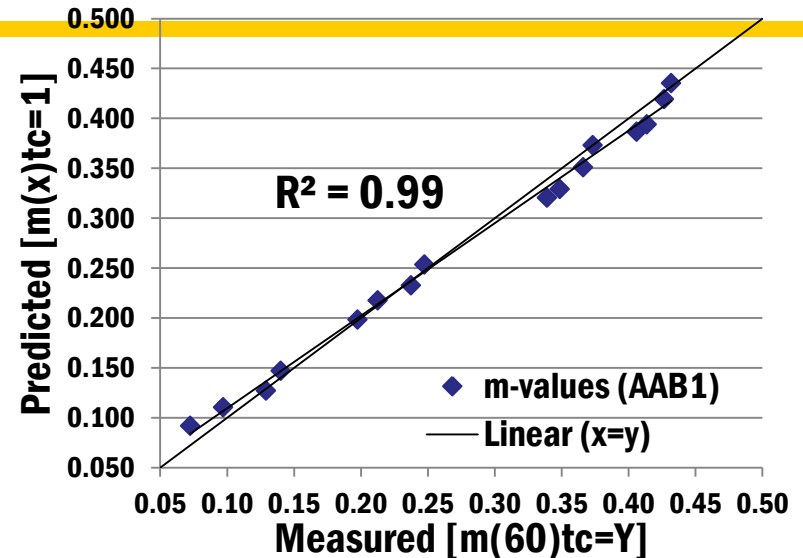
$$m(60)_{t_c=Y} = m(x)_{t_c=1}$$

$$m(60)_{t_c=6} = m(37)_{t_c=1}$$



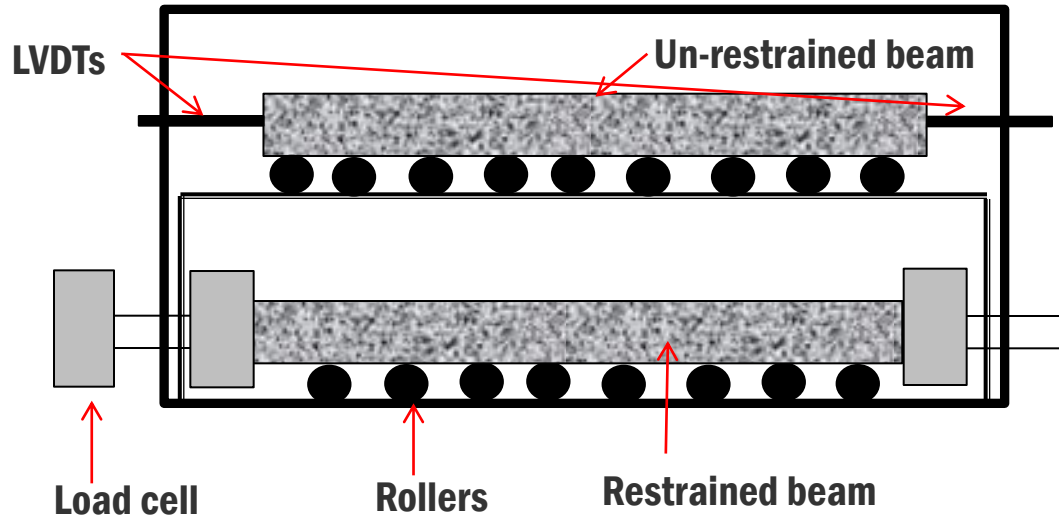
m-value calculation from model

Temp	tc=Y (hr)	log S(60)tc=Y	Log S(x)tc=1	x (sec)	log x	m(x)tc=1	m(60)tc=Y
-10	96 hr	1.92	1.92	25	1.40	0.406	0.387
	24 hr	1.88	1.88	32	1.50	0.414	0.394
	6 hr	1.81	1.81	46	1.67	0.427	0.419
-15	96 hr	2.25	2.25	24	1.38	0.339	0.320
	24 hr	2.21	2.21	31	1.49	0.349	0.329
	6 hr	2.14	2.14	50	1.70	0.366	0.351
-25	96 hr	2.84	2.84	11	1.04	0.198	0.198
	24 hr	2.80	2.80	17	1.24	0.213	0.218
	6 hr	2.73	2.73	37	1.57	0.238	0.233
-35	96 hr	3.15	3.15	3	0.45	0.072	0.092
	24 hr	3.11	3.11	8	0.89	0.097	0.111
	6 hr	3.05	3.05	29	1.46	0.129	0.127

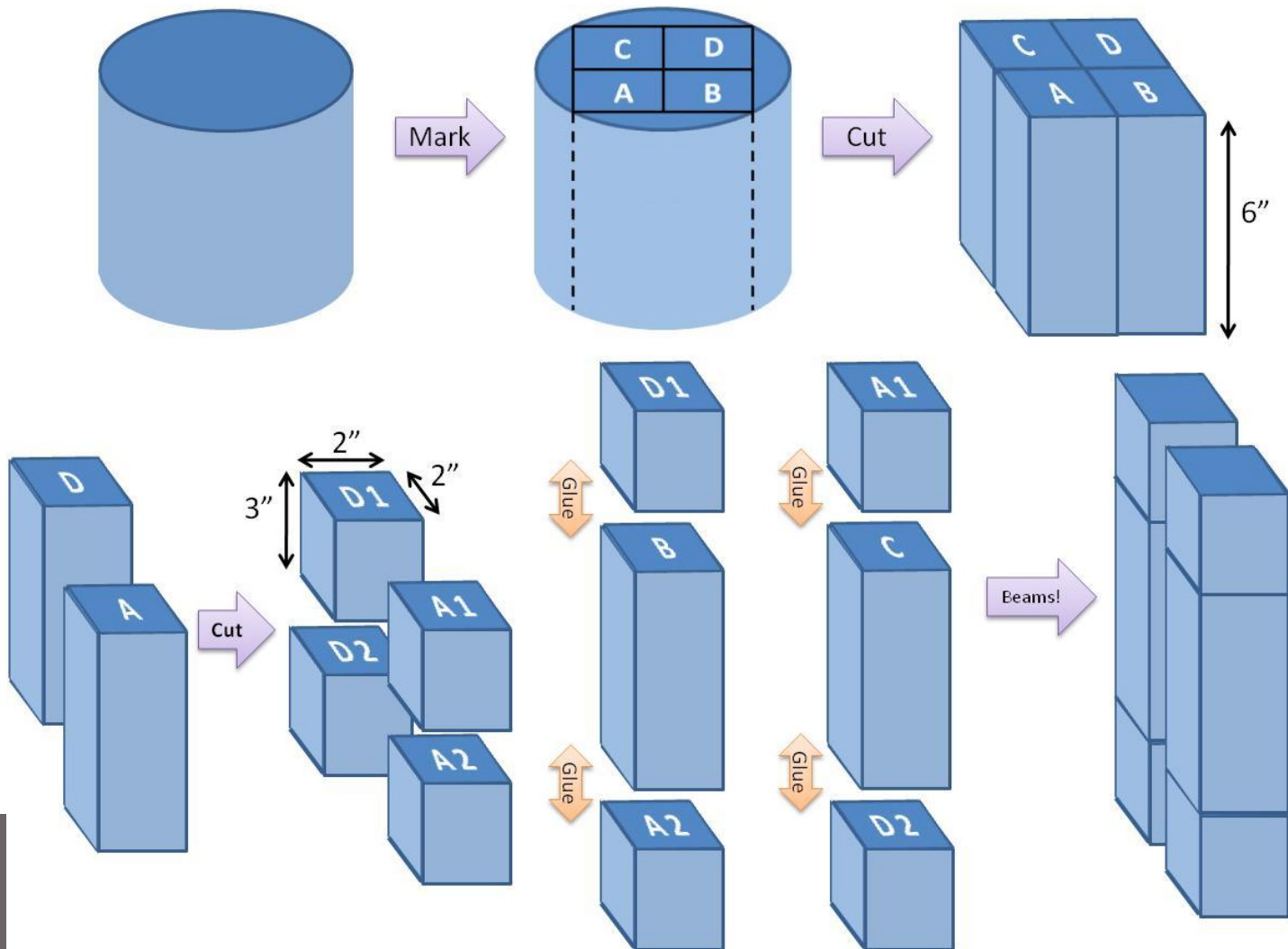


- **Very good agreement between prediction and measured m-value**
 - Model prediction hold for time temperature superposition
 - **Model can be used to predict both m and S changes**

ATCA: Asphalt Thermal Cracking Analyzer



ATCA System: Sample preparation

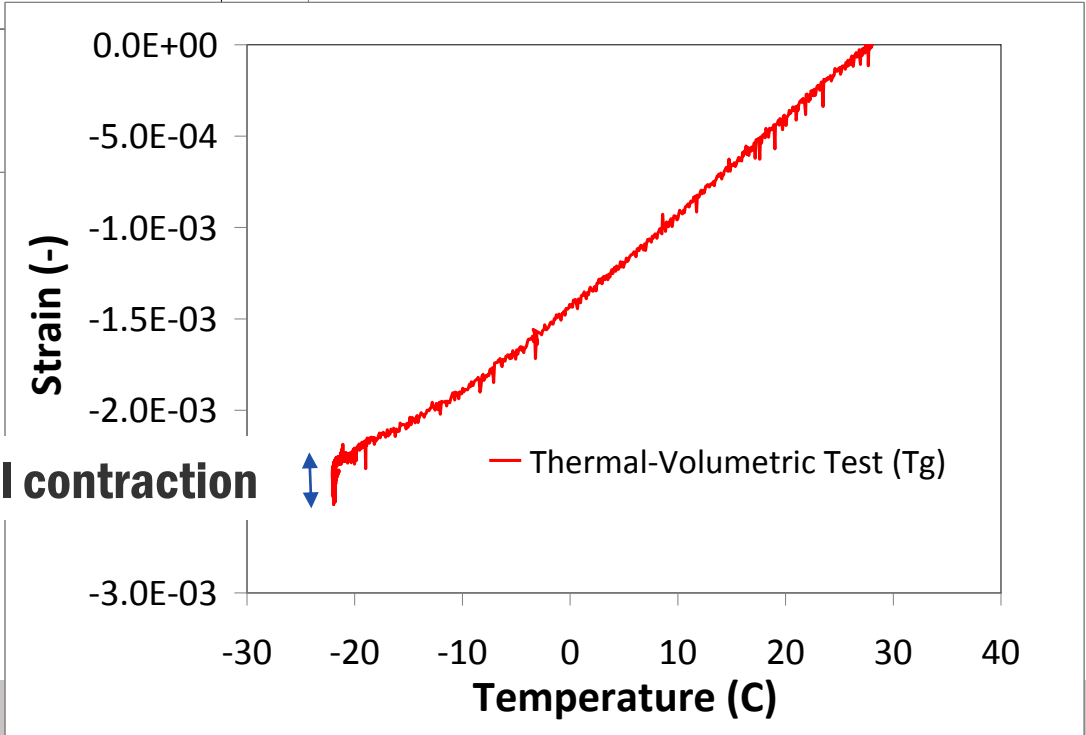
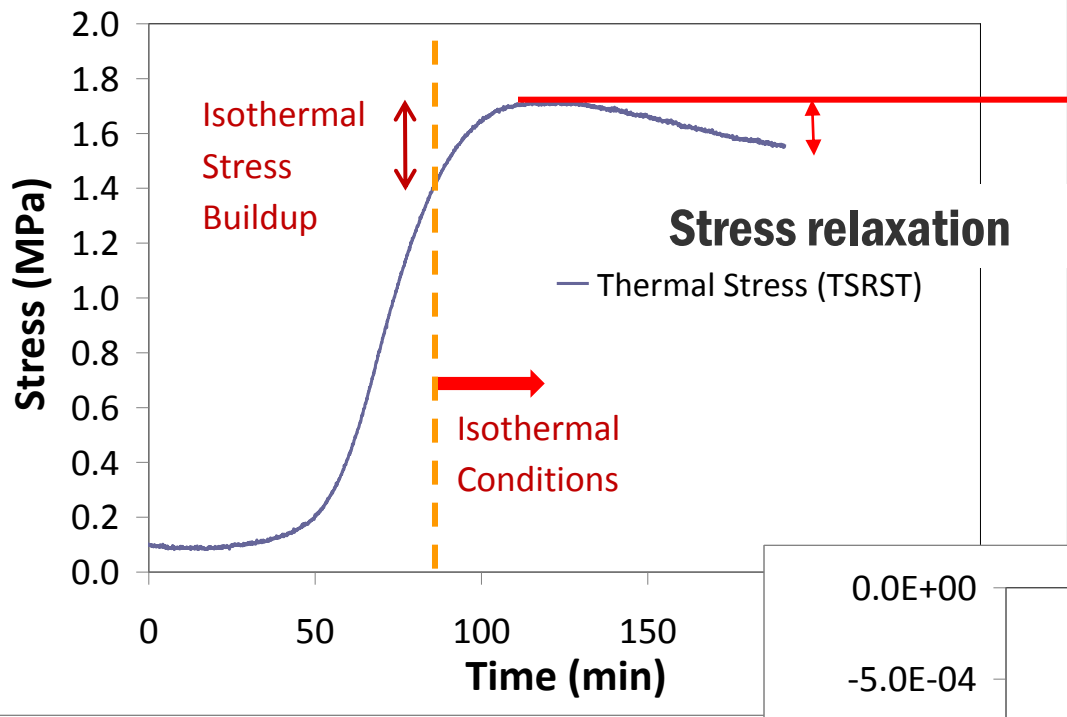


ATCA=>Quantify effect of isothermal storage on dimensional stability of asphalt mixtures (4)

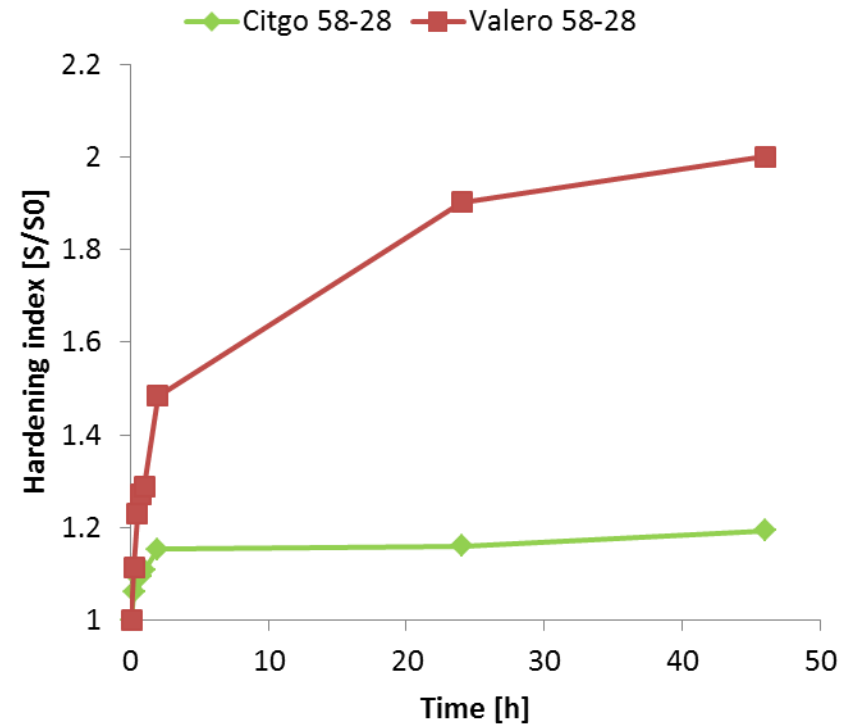
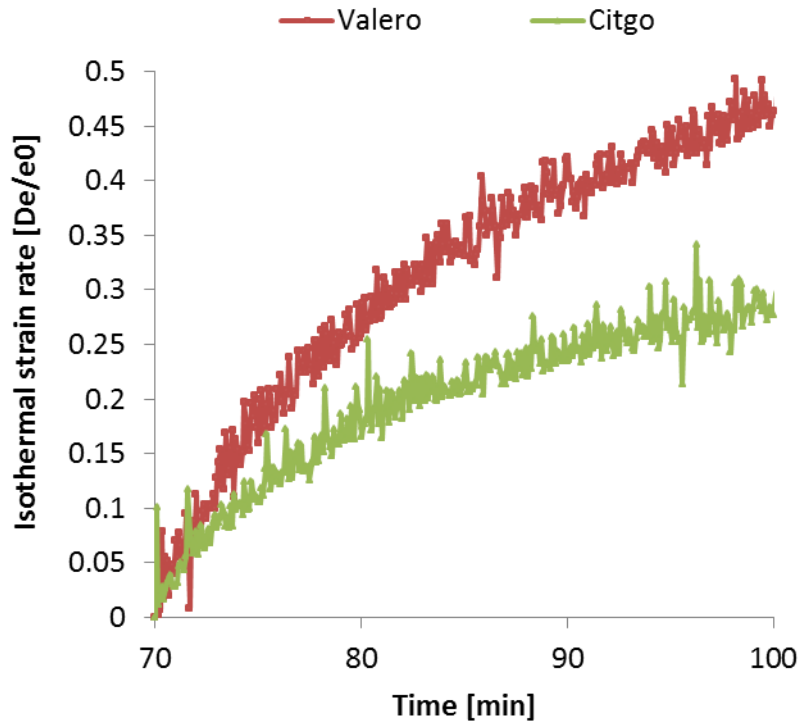
The **ATCA** can simultaneously test two asphalt mixture beams under following conditions:

- **unrestrained specimen** from which change in length with temperature is measured
- **restrained specimen** to measure thermal stress buildup.
- Both specimens produced from same sample and both exposed to same **thermal history**

Isothermal testing of asphalt mixtures (4)

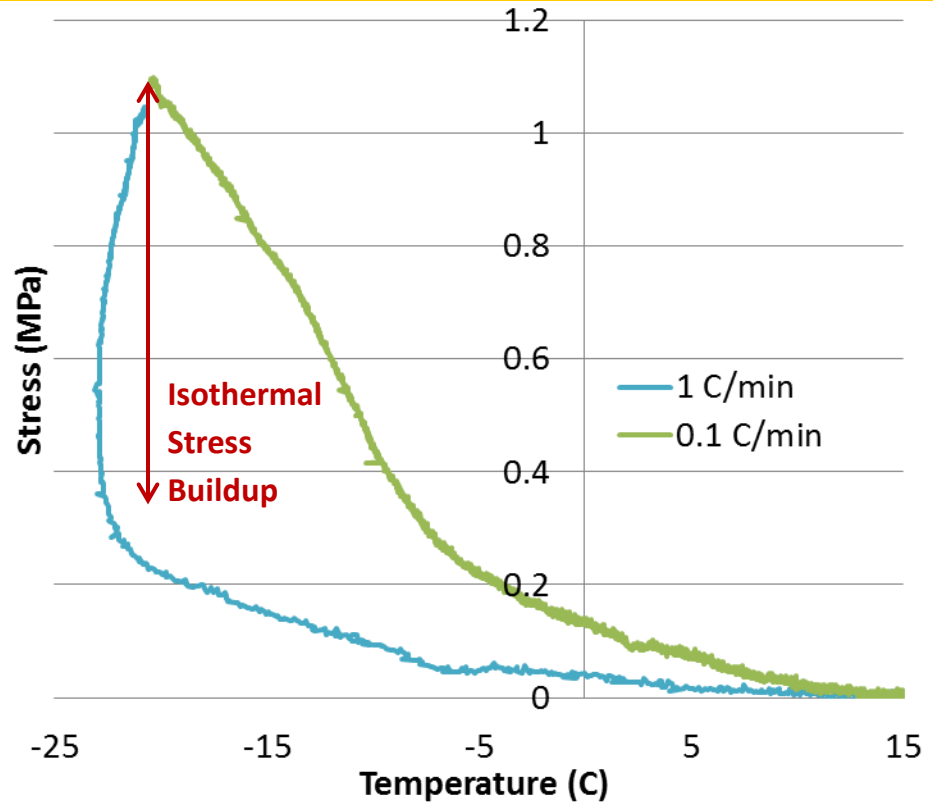
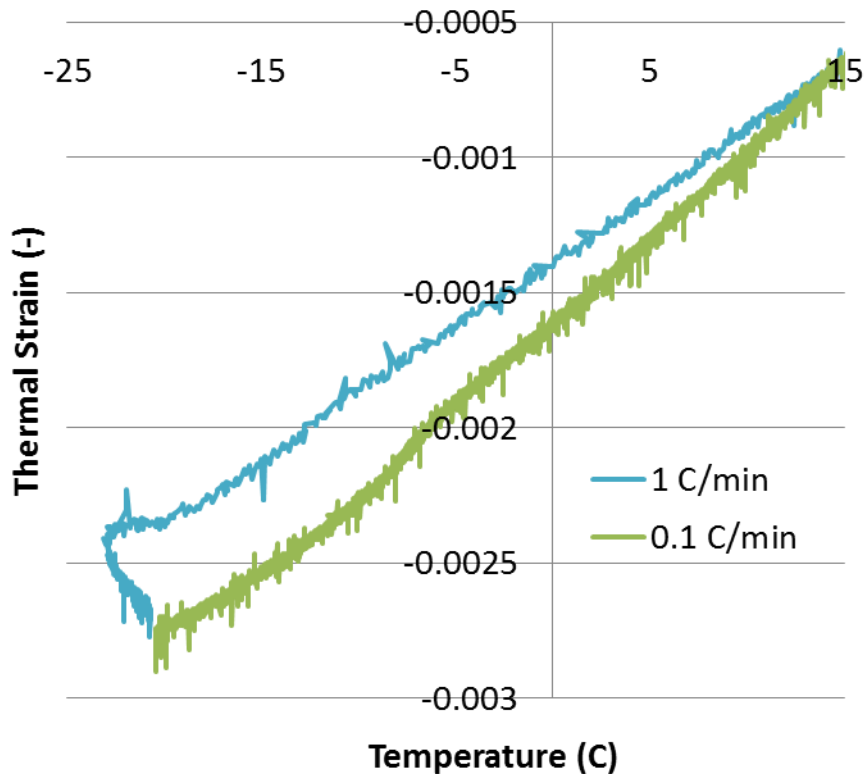


Isothermal Conditioning (ATCA and BBR) (4)



- BBR binder tests show **different amount of hardening** for the two types of binders **at same PG**.
- ATCA mixtures reflect the same hardening trend as the binders

Effect of Cooling Rate

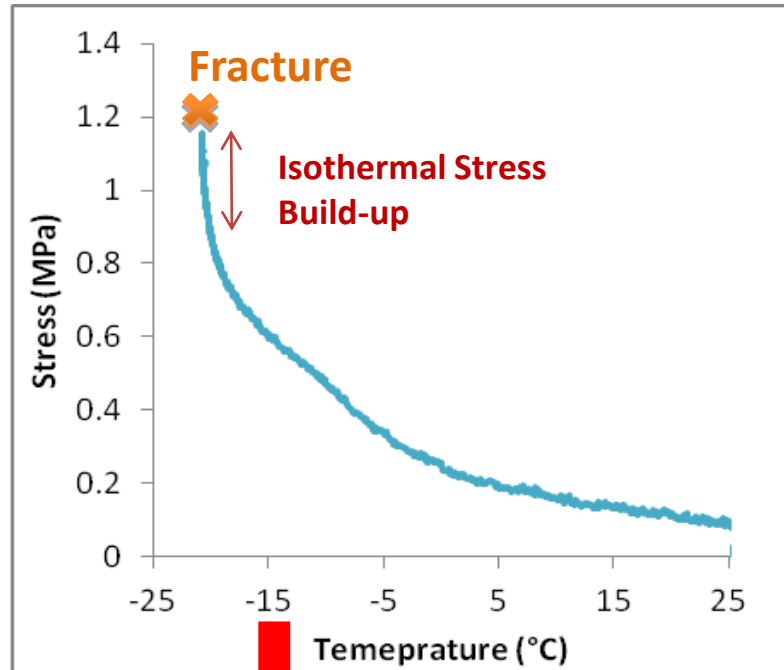
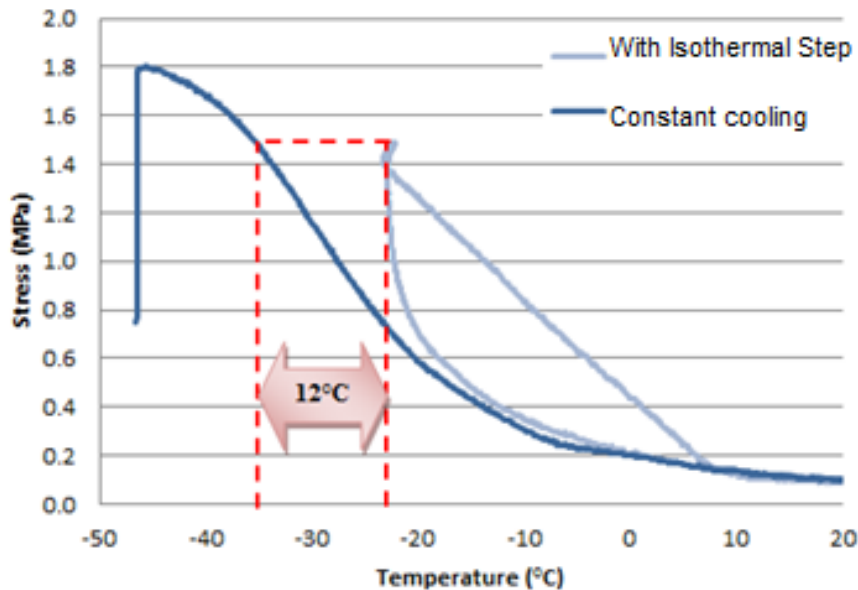


- Delayed strain during fast cooling takes place isothermally
- If enough isothermal time is given, mixes reach same stress level

Importance of Physical Hardening

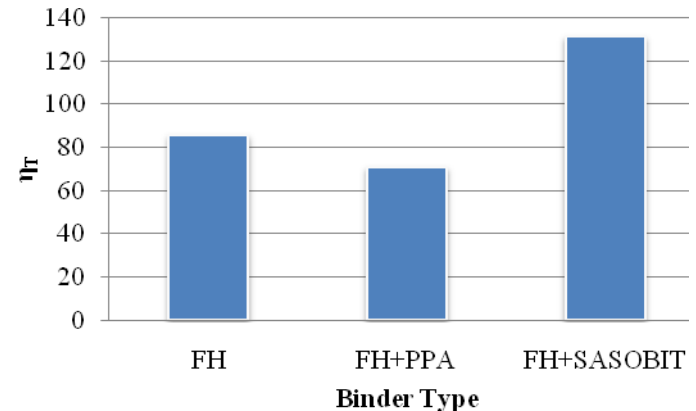
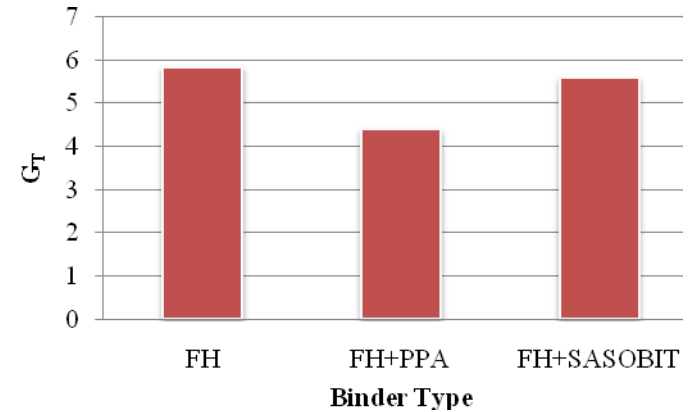
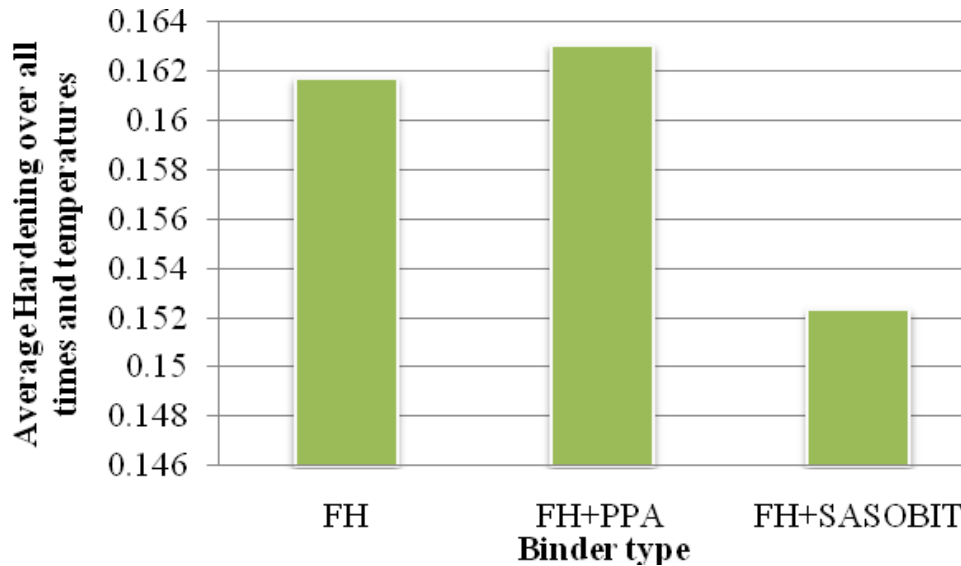
- 1. Strain at low temperatures is function of temperature and conditioning time!**
- 2. Thermal stress at any cooling rate cannot be calculated without including time dependent strain**
- 3. Time dependent strain = Physical Aging**

Importance of Physical Hardening



MN County Road 112-CITGO restrained beam fracture under isothermal conditions

Physical Hardening of WMA and PPA (5)



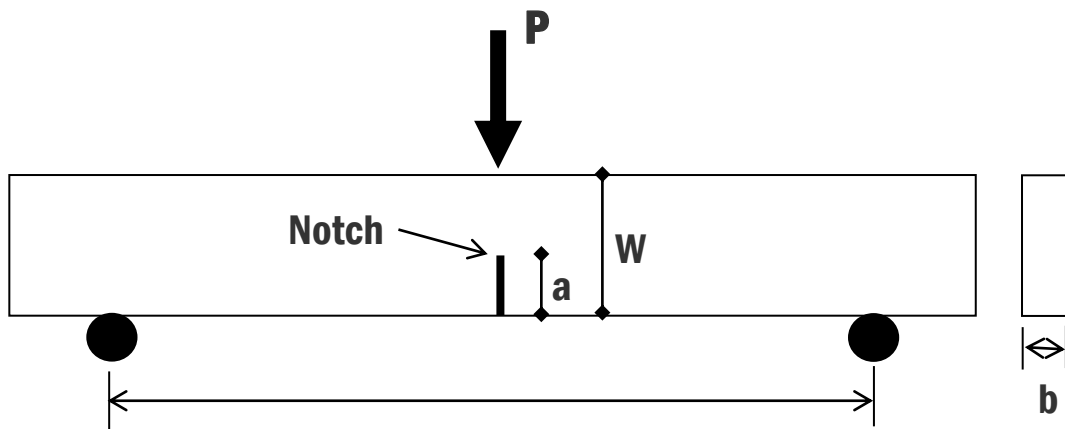
- **WMA decreased** and **PPA increased** total amount of hardening.
- **WMA increased** and **PPA decreased** rate of hardening.

Conclusions Task 2

- **Physical hardening in asphalt binders results in significant changes in their creep response at temperatures below or near glass transition**
- **Physical hardening can be represented with “creep” model with parameters obtained from BBR and/or Tg tests**
- **Thermal stress calculations are not accurate without accounting for Glass Transition and time-dependant strain (isothermal contraction)**
- **Effect of isothermal contraction becomes very important when using lab tests at faster cooling rates to predict field conditions**

Task 3: Development of Single-Edge Notched Beam (SENB)

Follows ASTM E399 and assumes **Linear Elastic Fracture Mechanics (LEFM)** conditions are true

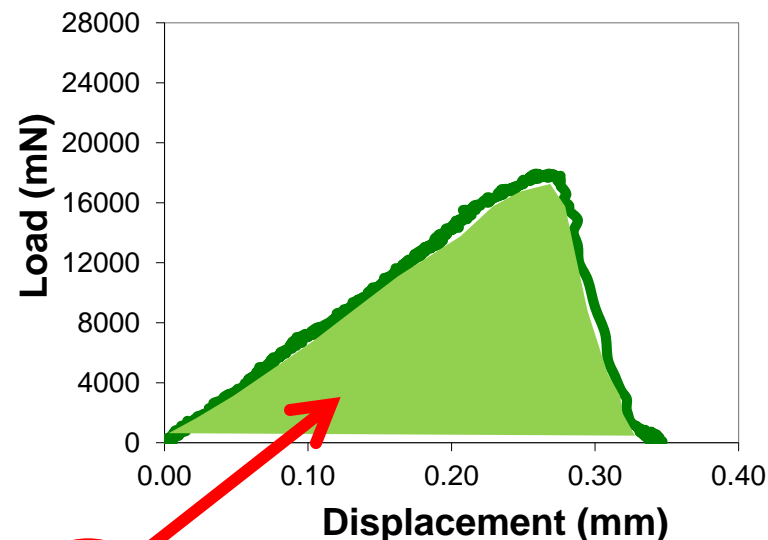


$$K_I = \frac{P \cdot S}{BW^{\frac{3}{2}}} f\left(\frac{a}{W}\right)$$

Fracture Toughness

$$G_f = \frac{W_f}{A_{\text{lig}}}$$

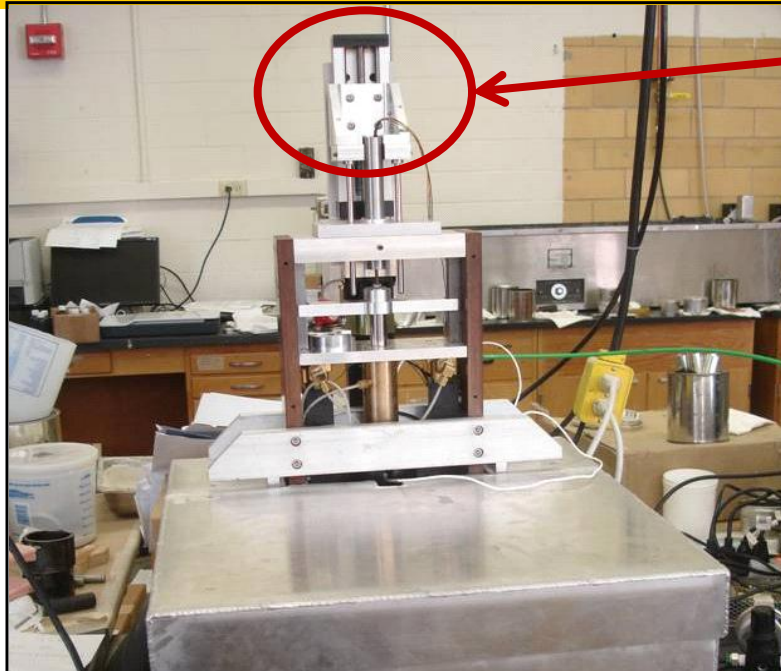
Fracture Energy



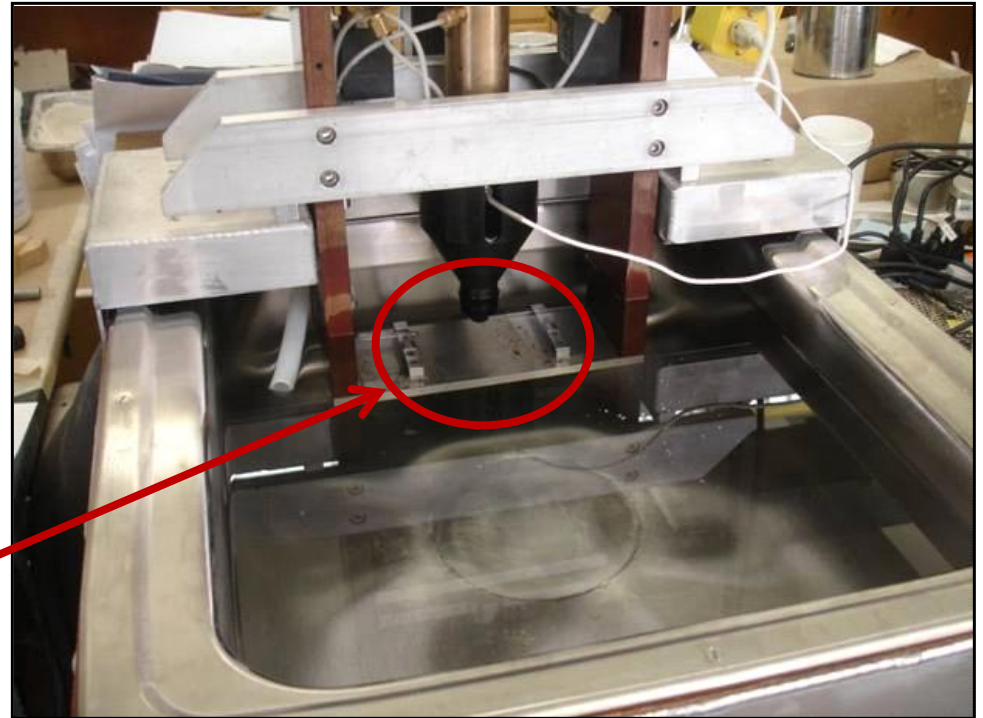
$$W_f = \int P du$$

Work

BBR-SENB system at UW-Madison

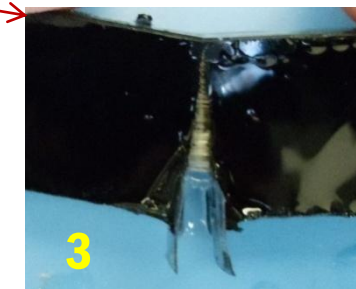
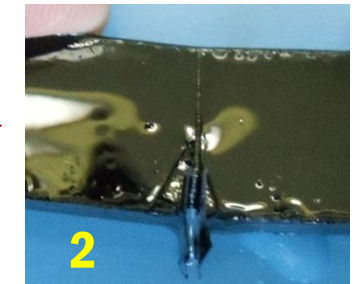
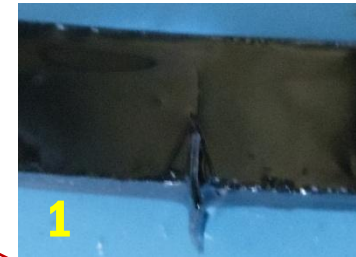
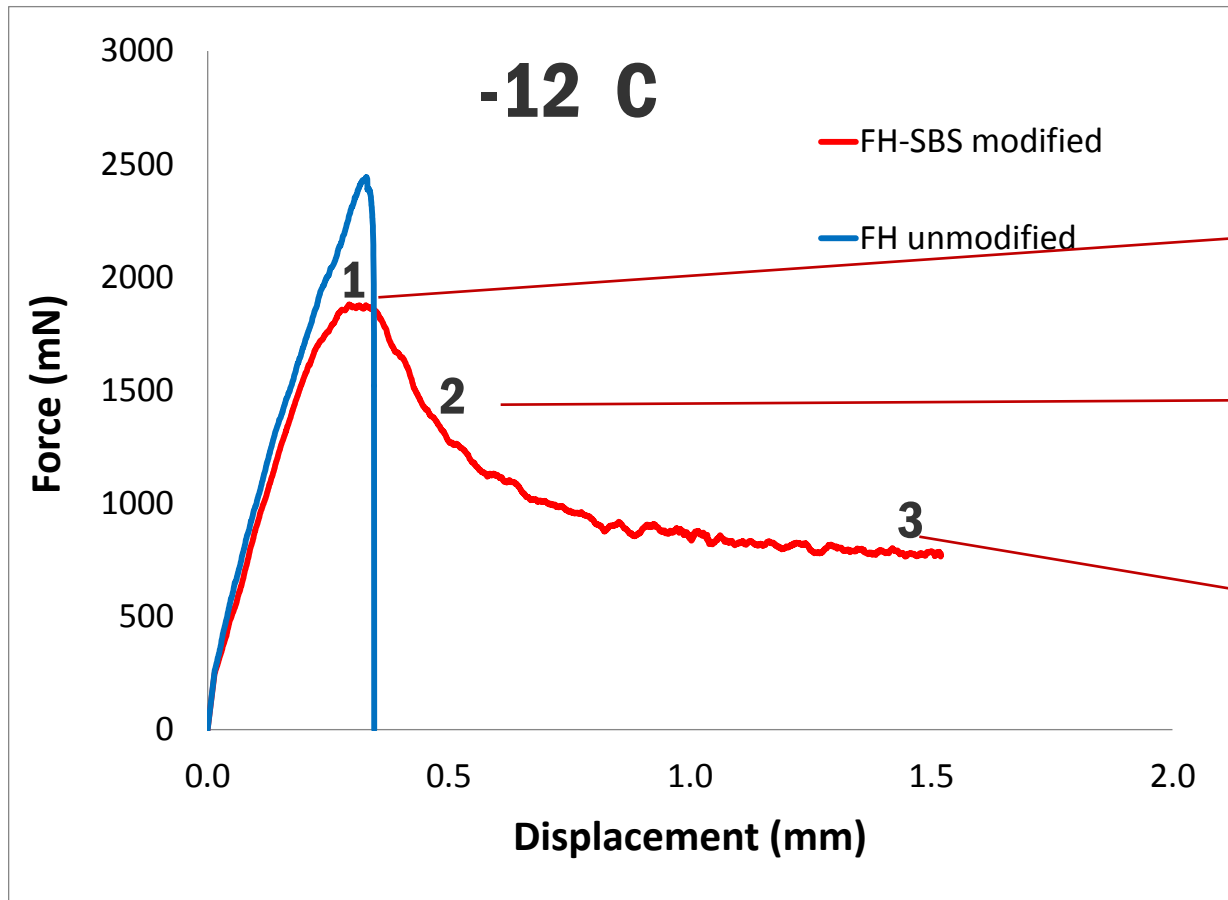


BBR+ Constant rate motor

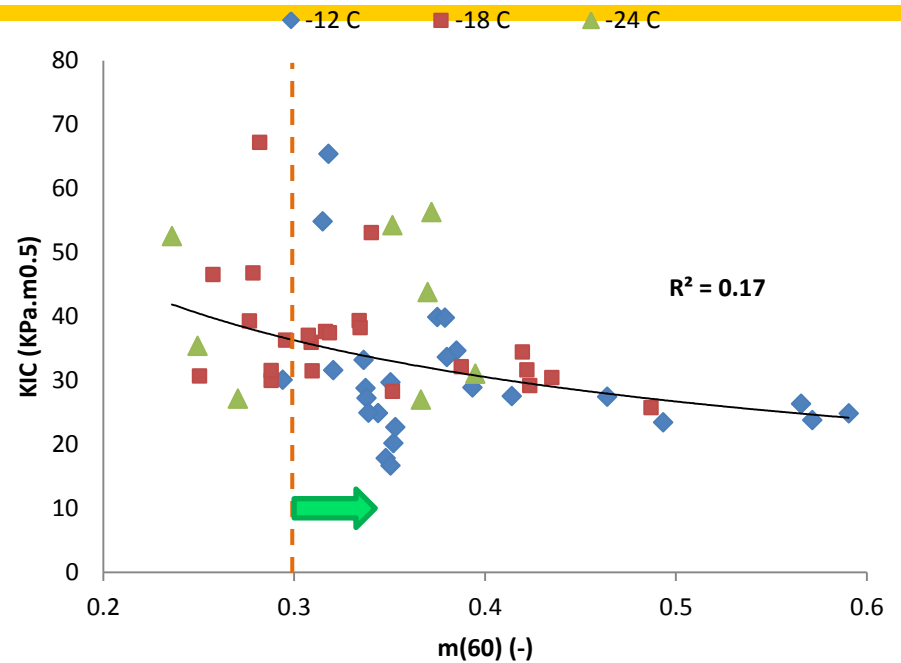
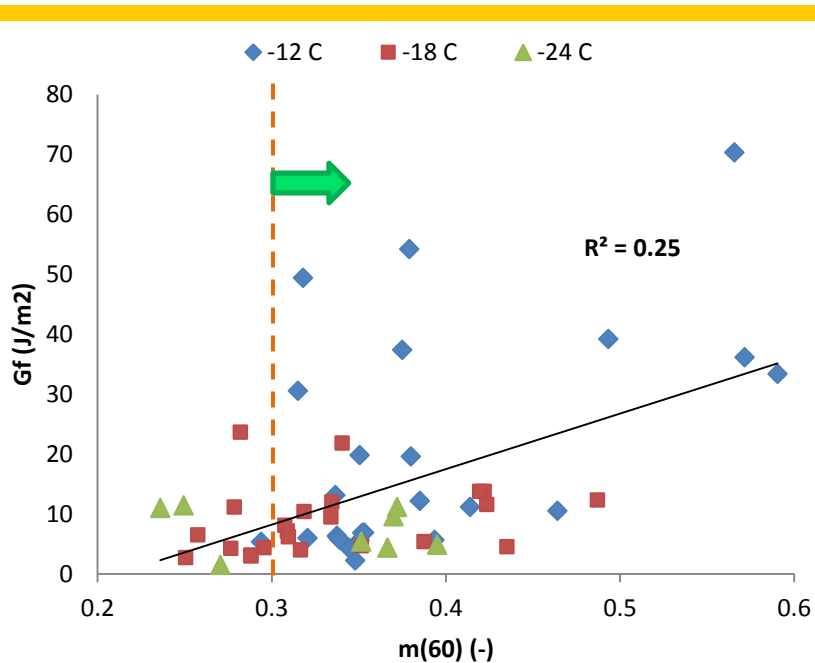


Modified Supports

BBR-SENB: Effect of Modification

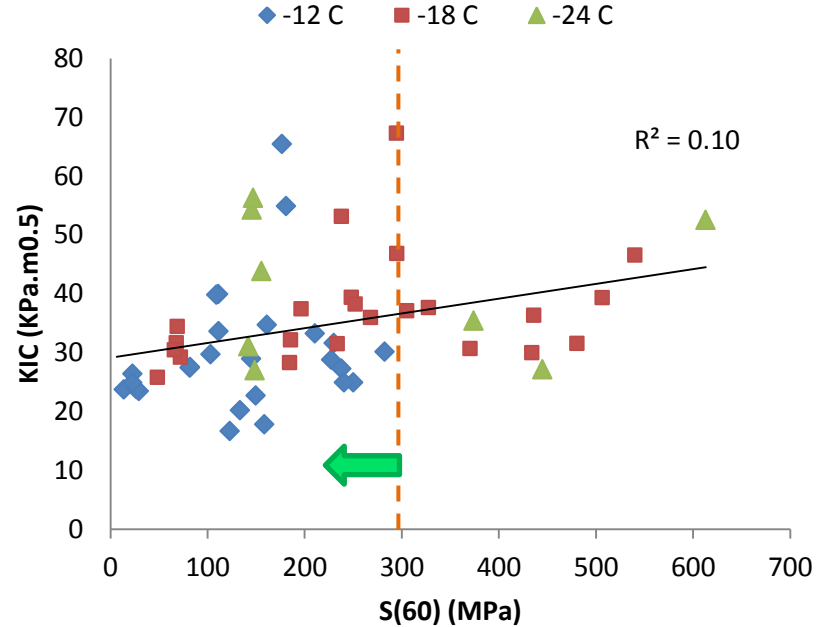
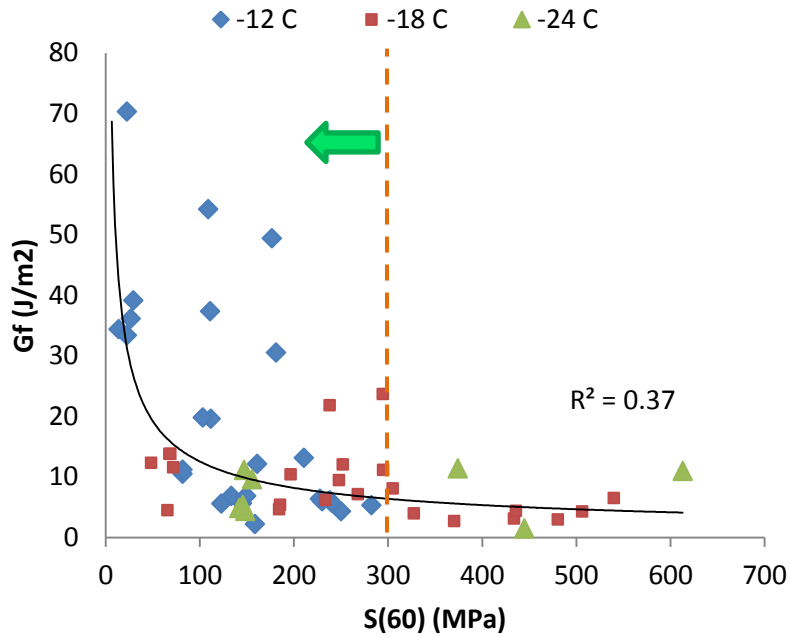


SENB vs. BBR



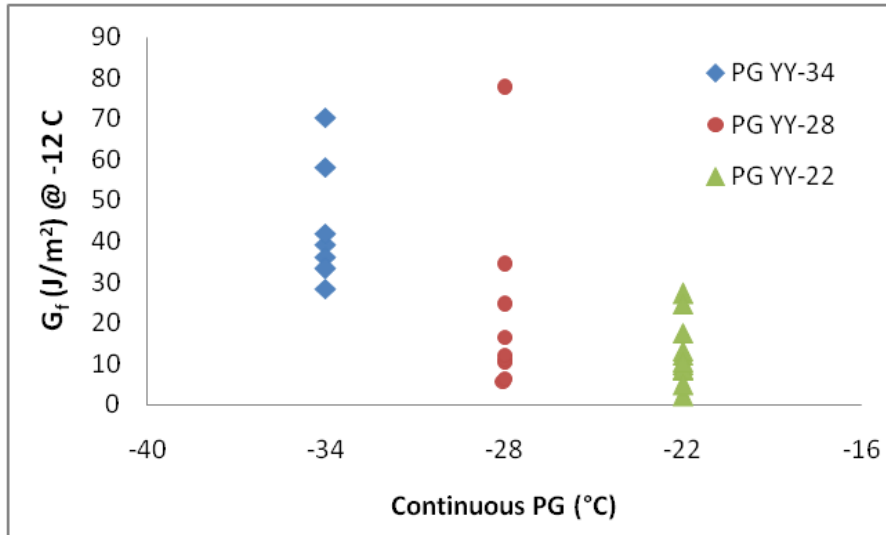
- BBR m-value and creep stiffness have very **poor correlation** with the SENB parameters.
- BBR criteria fails to account for many binders with **low fracture energy**.

SENB vs. BBR

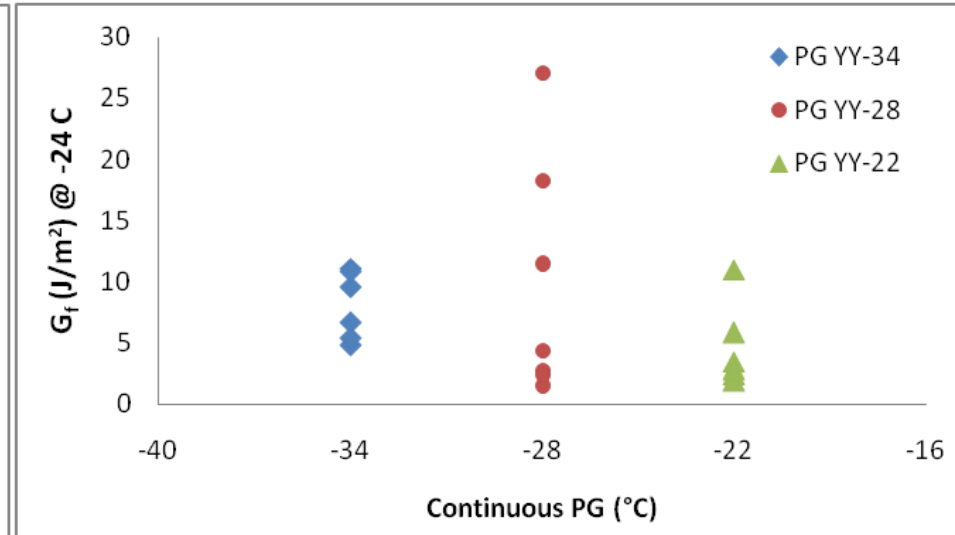


SENB fracture energy (G_f) clearly discriminates between binders with similar stiffness and m-value.

SENB G_f as Performance Indicator



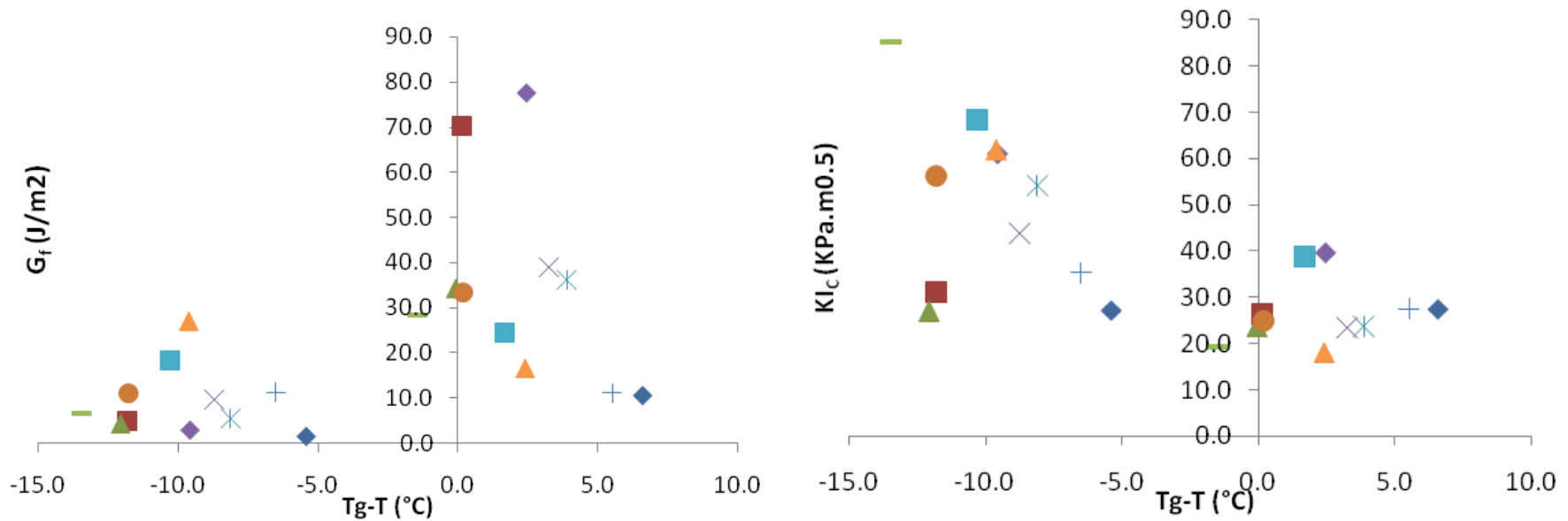
(a)



(b)

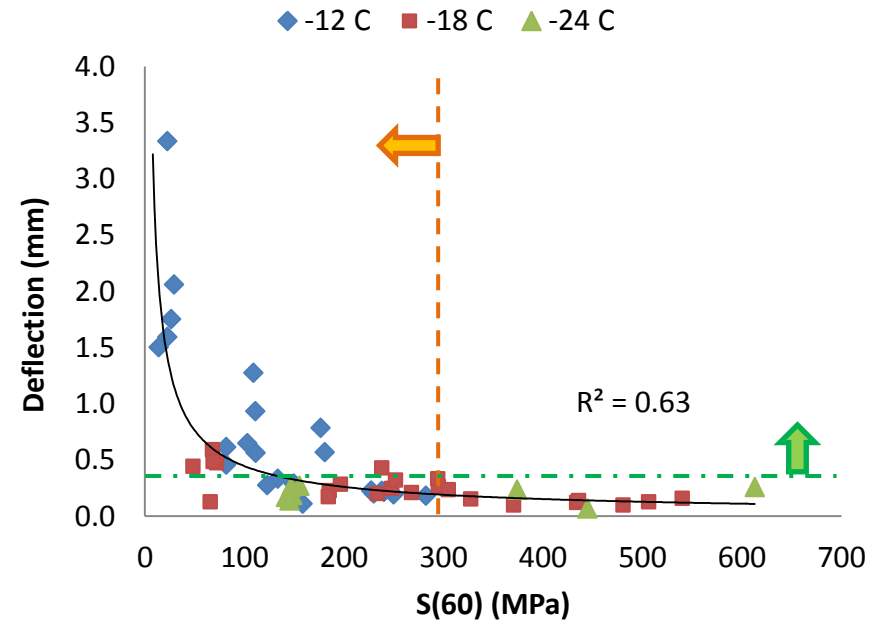
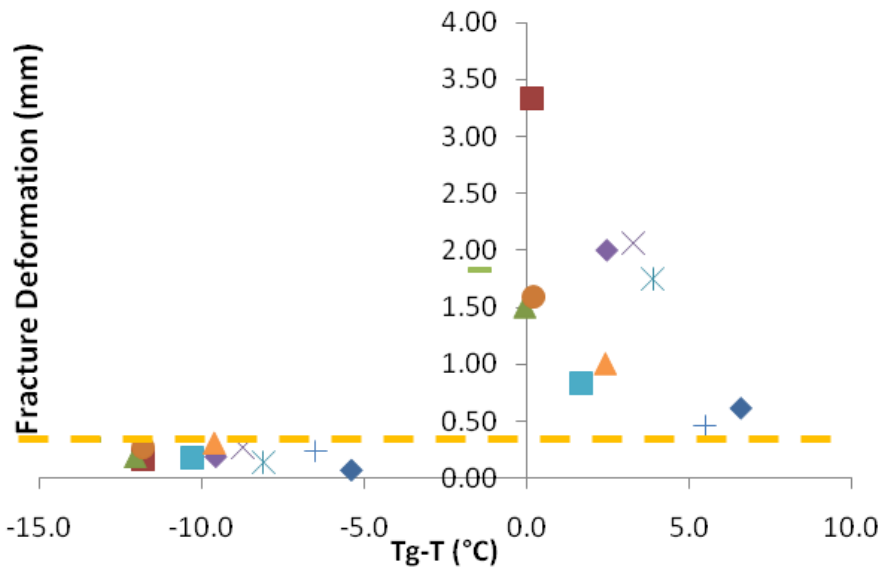
- **Difference in performance as measured by SENB G_f for binders of the same PG, tested at (a) -12 C, and (b) -24 C.**

Brittle-Ductile Transition



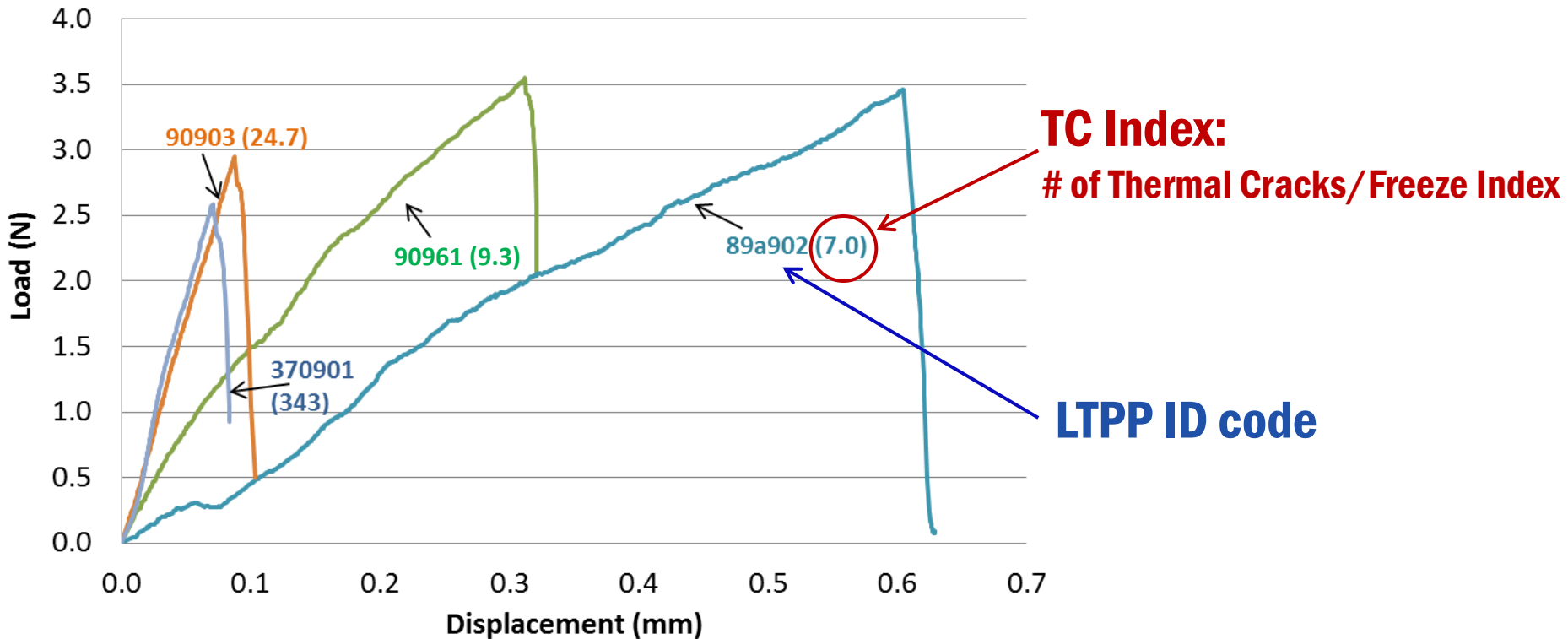
- **K_{IC}** does not show a clear trend above and below T_g.
- **G_f** decreases at temps below T_g.

Brittle-Ductile Transition



- **Fracture deflection** clearly shows brittle-ductile transition
- Fracture deflection of **0.35 mm** seems to be threshold value.

SENB vs LTPP Data



- Lower TC index shows better low temp performance
- Binders with **lower TC Index** have **higher Gf and failure deflection**

Conclusions – Task 3

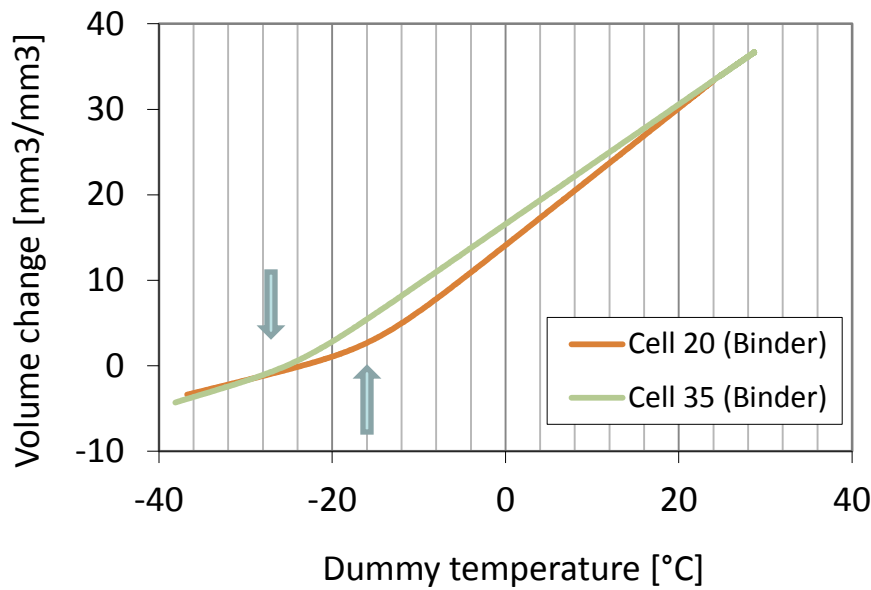
- **SENB experimental results showed that deformation at maximum load and fracture energy (G_f) are good indicators of low temperature performance of asphalt binders in mixtures and pavements**
- **Validation efforts using LTPP materials indicate potential of using SENB measurements to accurately estimate role of binders in field thermal cracking performance**
- **BBR-SENB results show that binders of same low PG can have significantly different fracture energy (G_f) measured at grade temperature**

Objectives Task 5

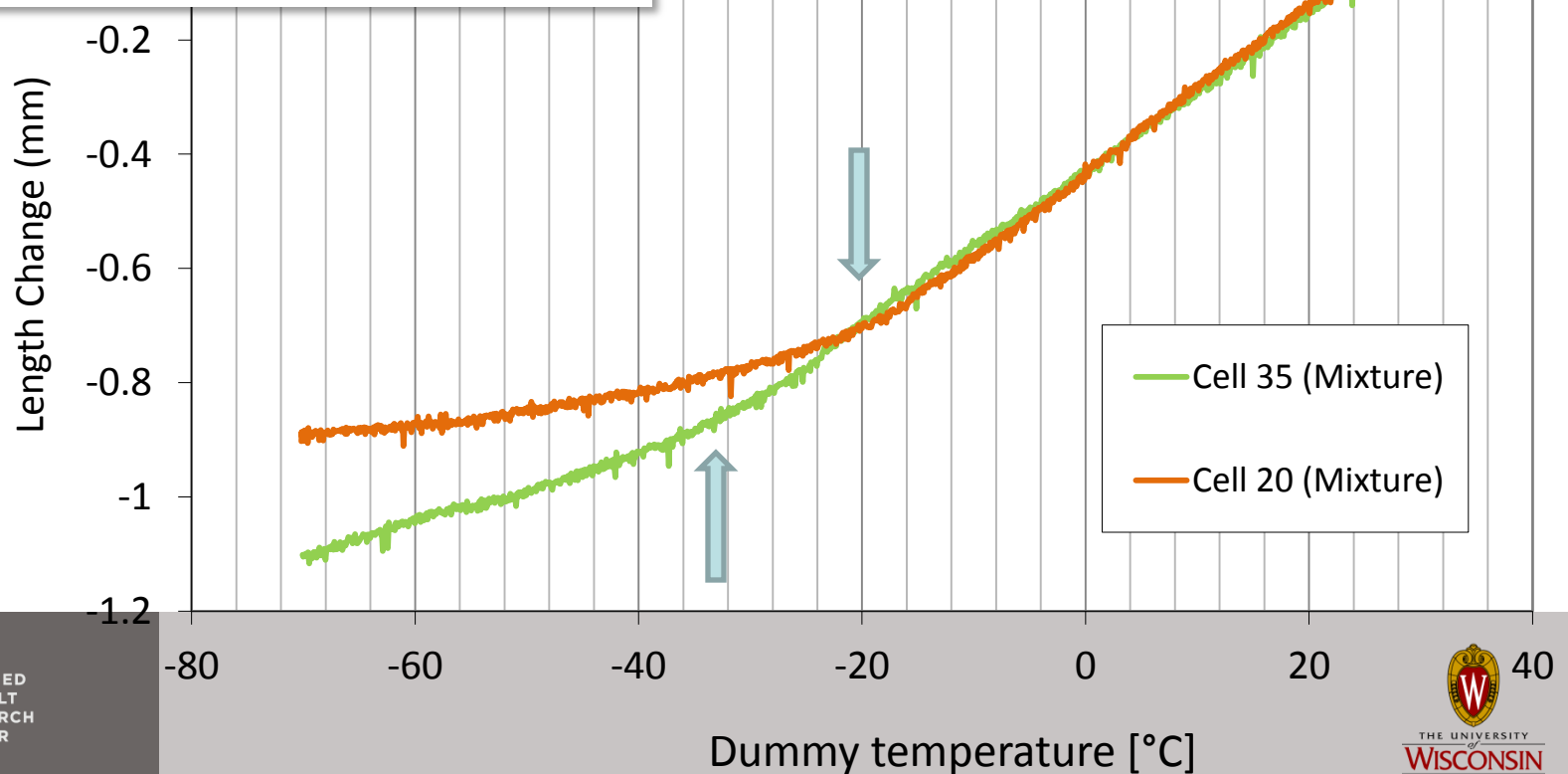
- 1. Expand database of thermo-volumetric properties of asphalt binders and mixtures**
- 2. Develop micromechanics-numerical model to estimate glass transition and coefficient of thermal expansion of mixtures from properties of binder and aggregate**
- 3. Conduct thermal cracking sensitivity to determine which of glass transition parameters are statistically important**

Mixture and Binder T_g measurements (1)

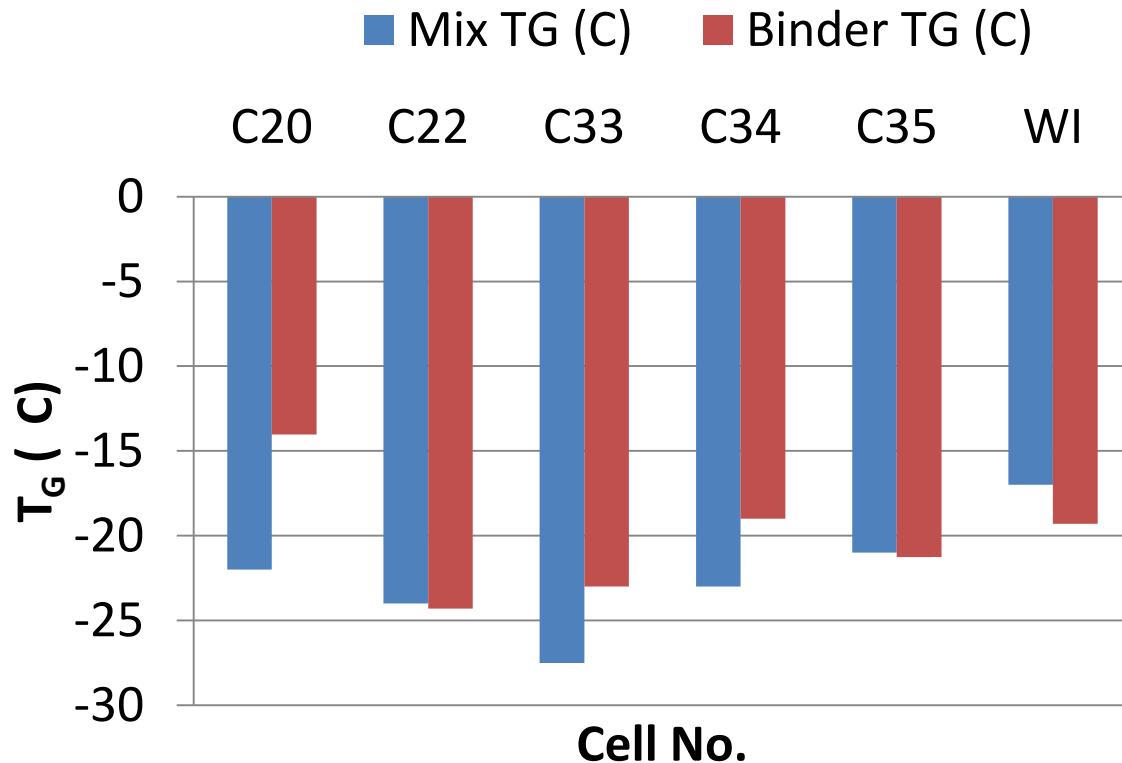
$$v = c_v + \alpha_g(T - T_g) + R(\alpha_1 - \alpha_g) \ln\{1 + \exp[(T - T_g)/R]\}$$



Database of thermo-volumetric measurements extended

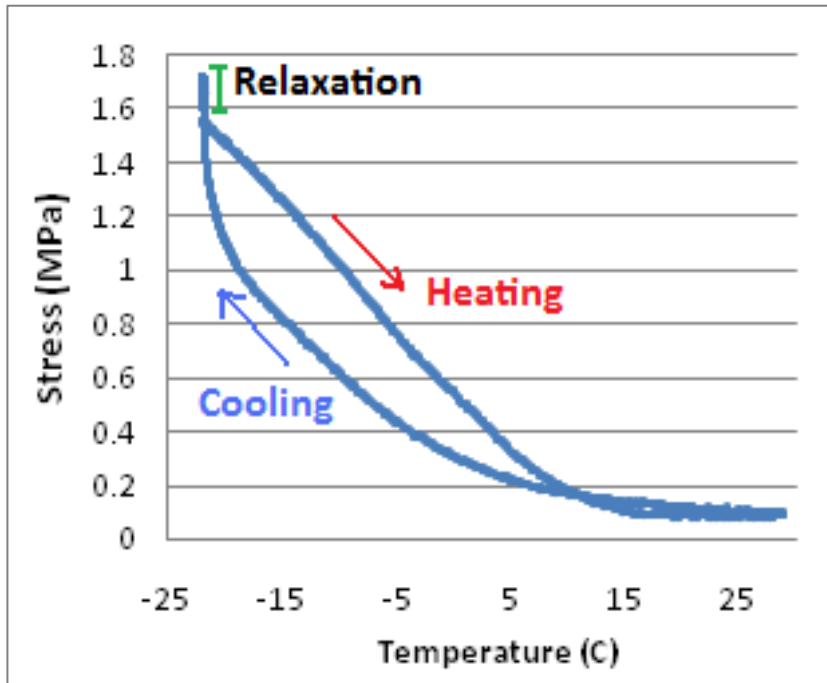


T_g of Asphalt Binders and Mixtures (1)

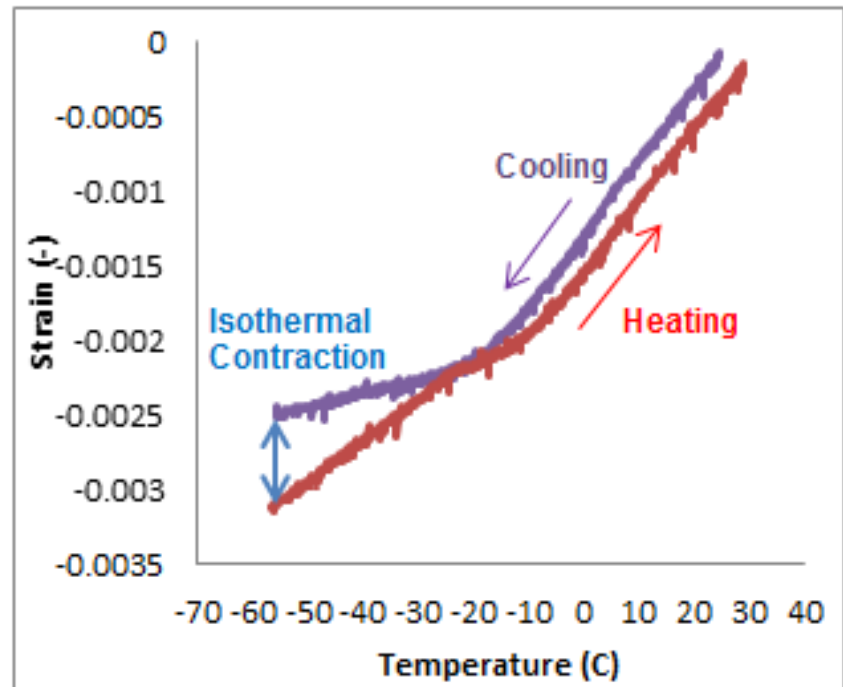


- Mix T_g range: -17 to -27 C
- Binder T_g range: -14 to -25 C
- Mix volumetrics not constant between cells

Asphalt Mixture During Thermal Cycle (1)

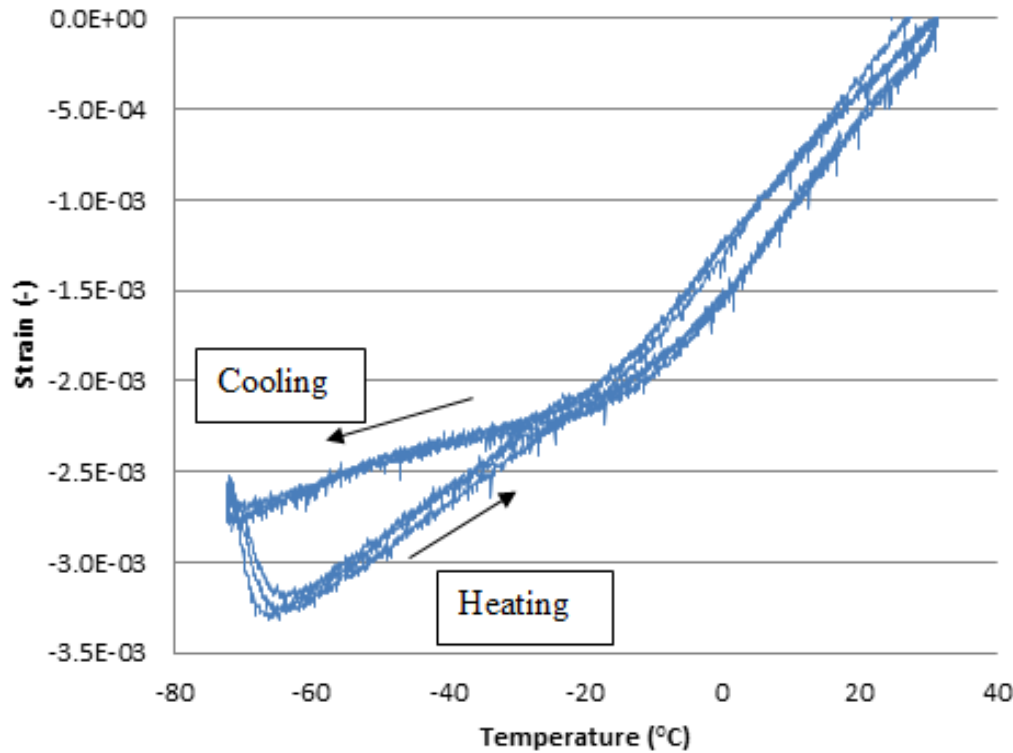


Stress



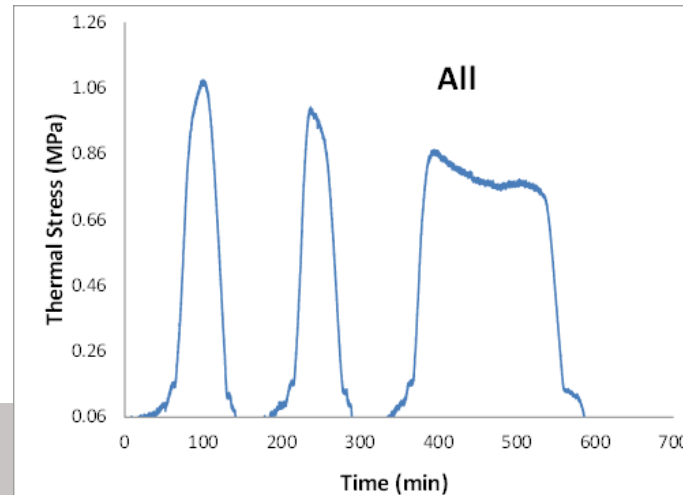
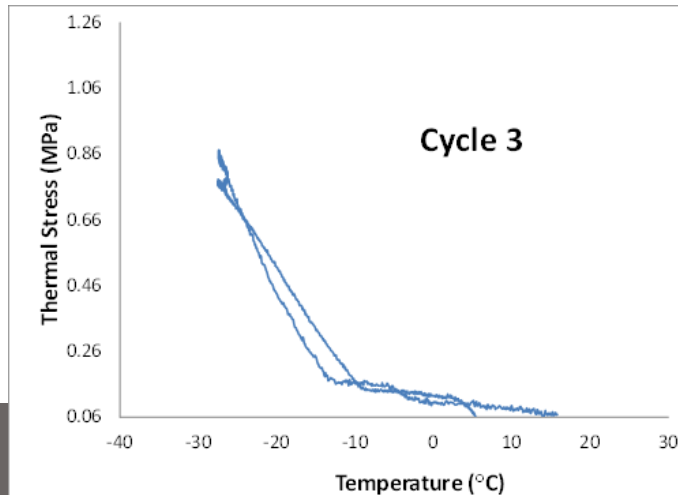
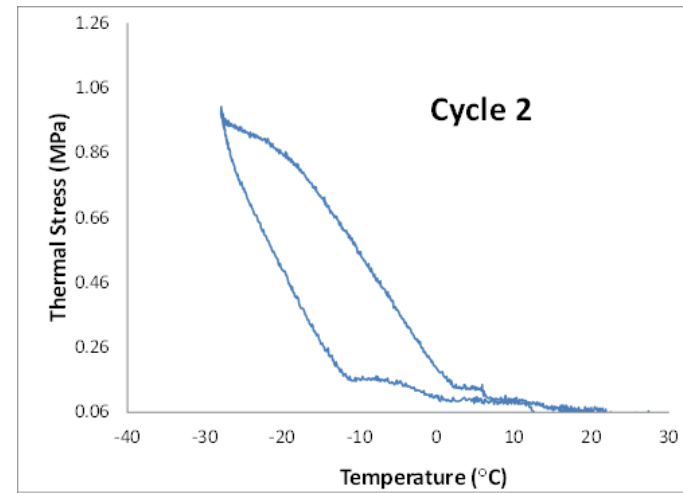
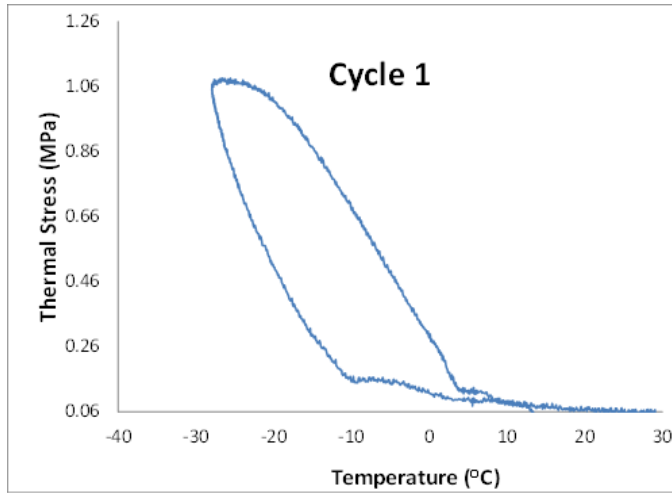
Strain

Asphalt Mixture During Thermal Cycle (1)



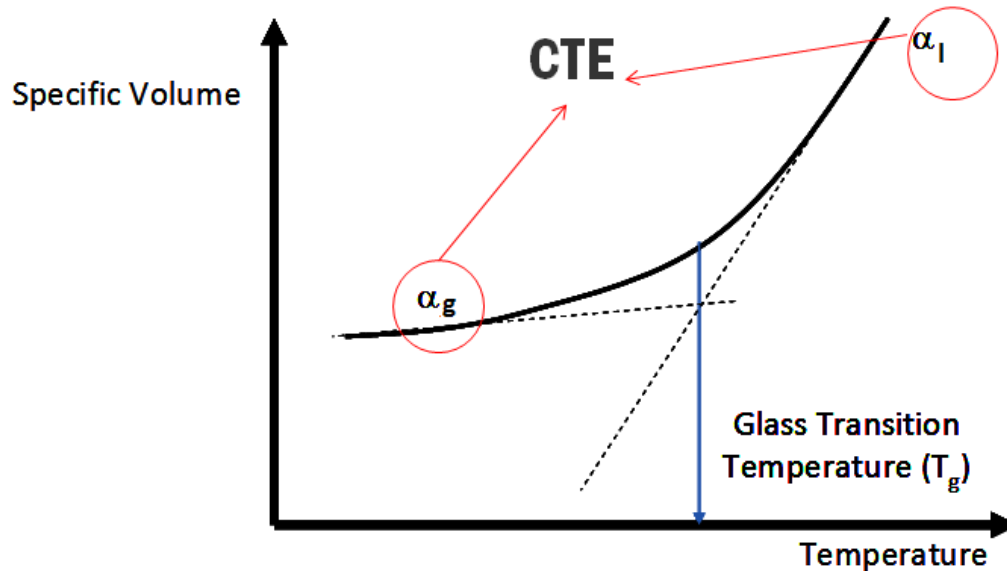
Thermal strain in asphalt mixture beam (WI) in 3 consecutive cycles

Stress curves under thermal cycling and isothermal conditioning for MnROAD Cell 33



Micromechanical Modeling of Glass Transition in Asphalt Mixtures (2)

Glass transition (T_g) is a critical factor influencing low temperature performance of asphalt mixtures



How glass transition (T_g , α_1 , α_g) of asphalt mastic is changed by addition of aggregate particles?

Motivation for development of micromechanical model for prediction of CTEs (2)

- Existing models for thermal cracking predictions oversimplify thermo-volumetric properties of AC

Currently in MEPDG →
$$L_{MIX} = \frac{VMA \cdot \alpha_{binder} + V_{AGG} \cdot \alpha_{AGG}}{3V_{TOTAL}}$$

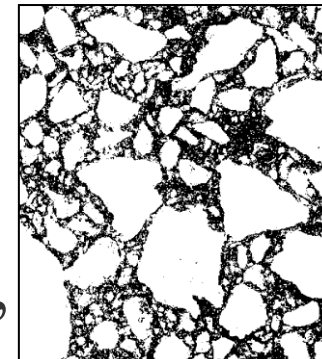
- **Glass transition and coefficient of thermal expansion/contraction of mixtures above and below T_g needed for accurate prediction of thermal stresses**

Internal Structure of AC: Digital Image Analysis

Scanned images of AC are converted to black and white (BW) images

BW images are matrixes of 0 (mastic) and 1 (aggregate)

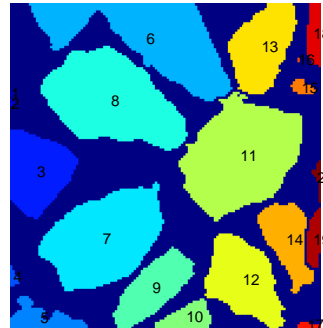
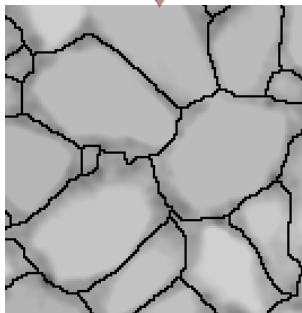
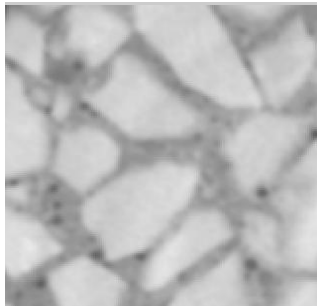
iPas => Matlab based program to calculate aggregate proximity index (API), aggregate orientation, “contact” length, API in branches, # of branches



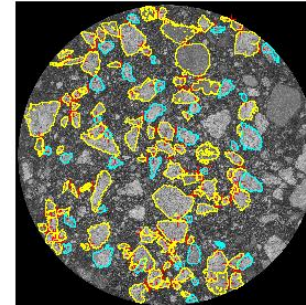
iPas- Three Steps Process

(1) Image **acquisition**

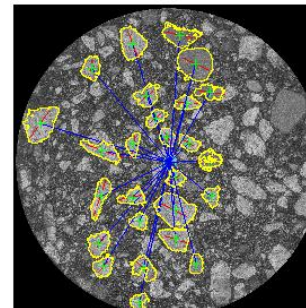
(2) Image **processing**



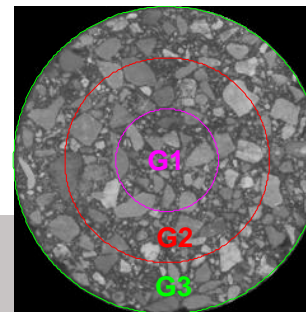
(3) Image **analysis**



Aggregate Proximity Index

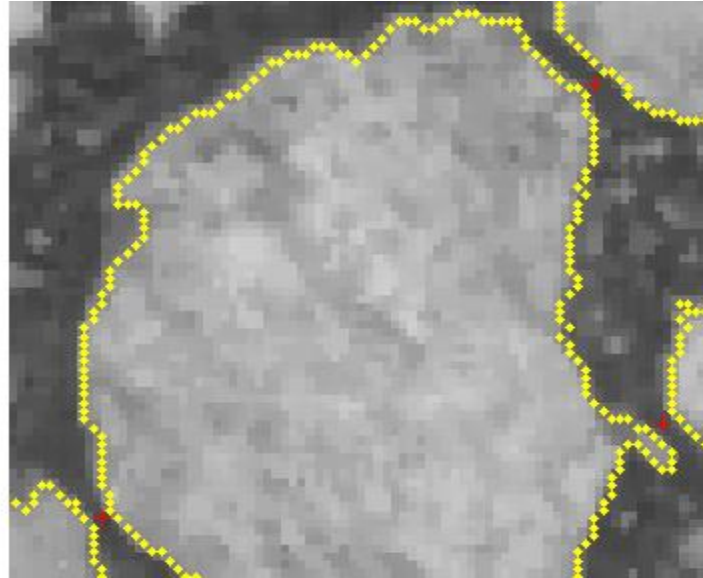


Orientation



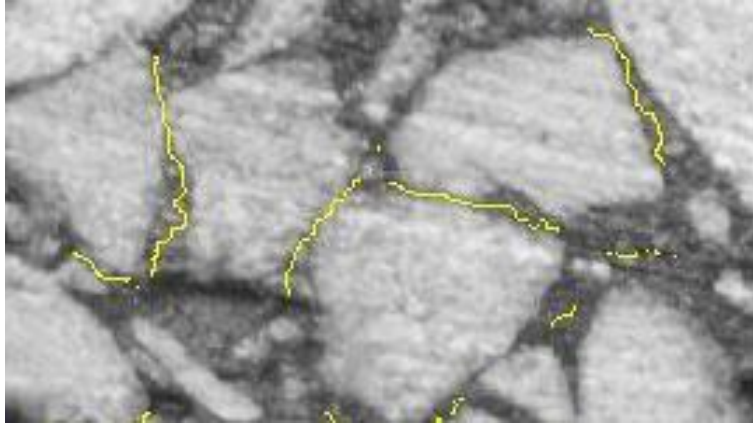
Segregation

Aggregate Proximity Index (API) => “contact points”

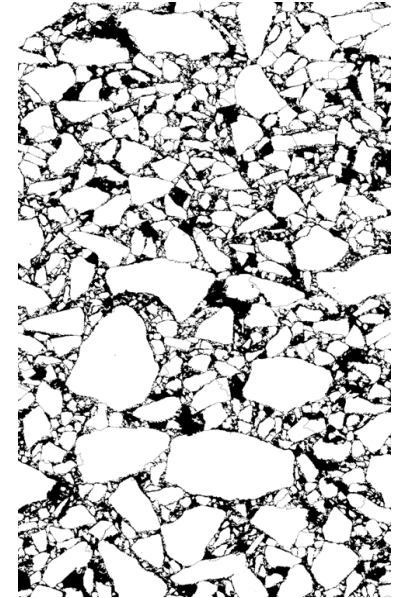
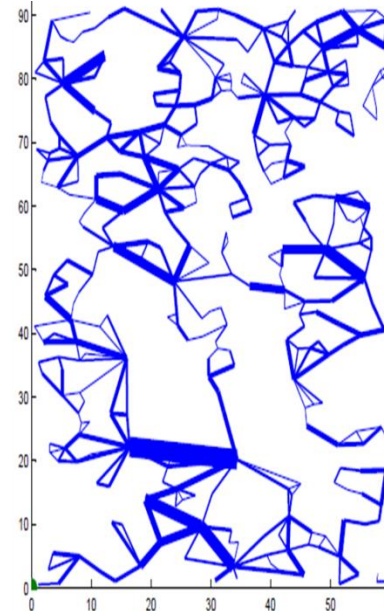


Minimum aggregate size & surface distance threshold needs to be defined for Aggregate Proximity Index (API) estimation

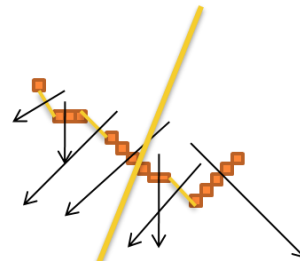
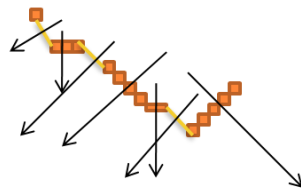
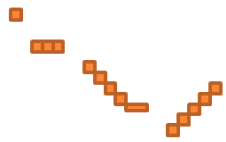
Other internal structural parameters



“Contact” Length



Aggregate Branches-Connectivity

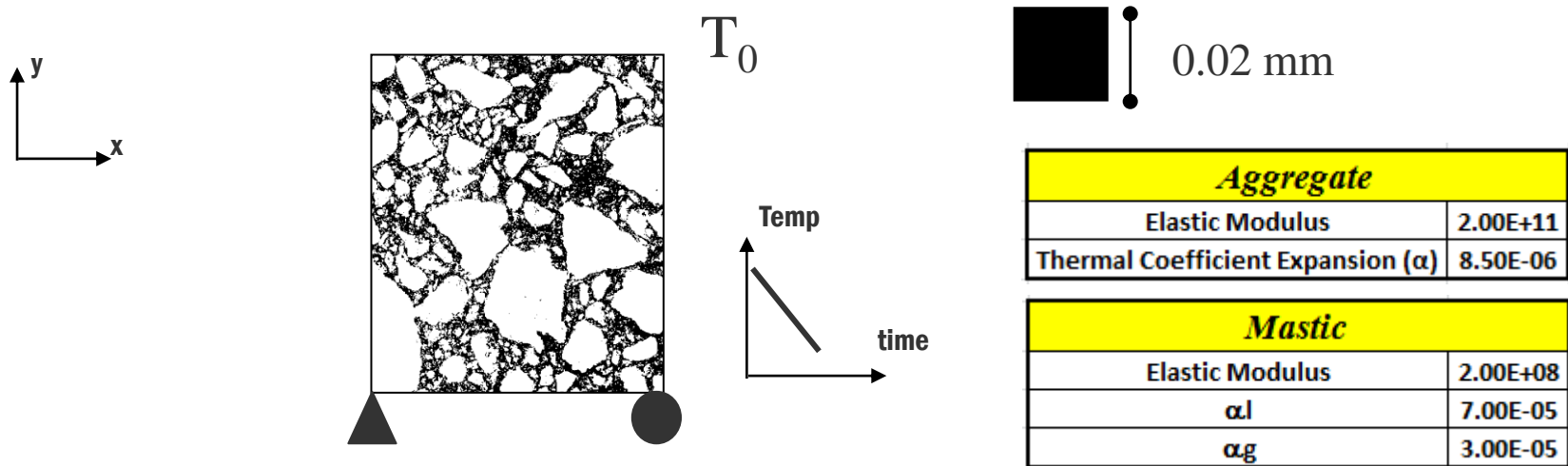


Contact Orientation

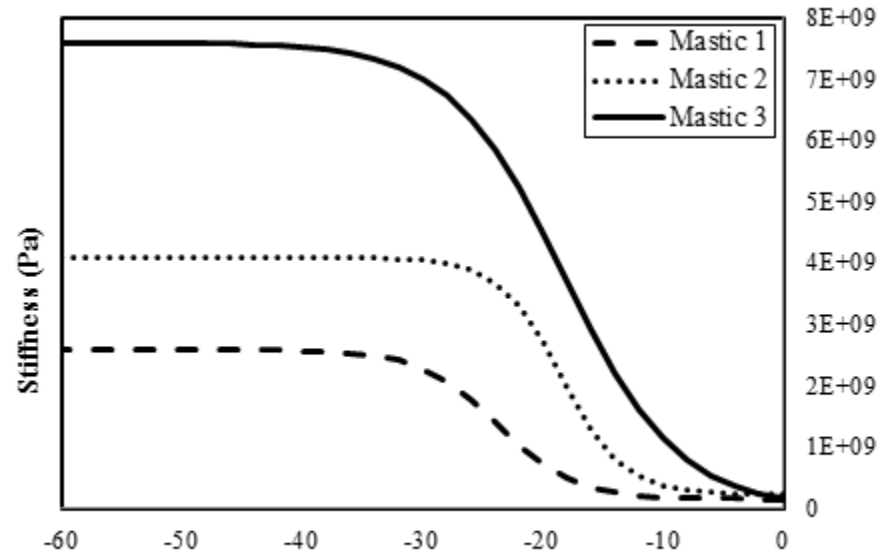
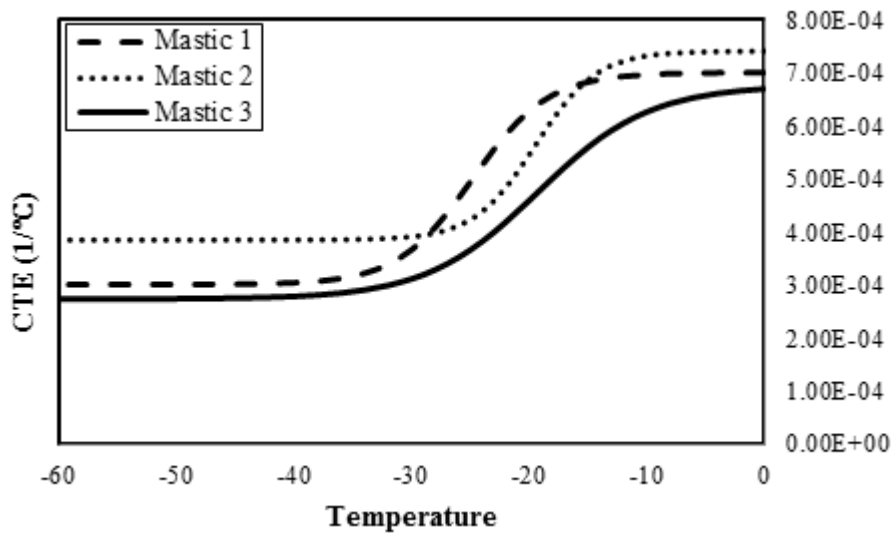
Pixels in contact line Orientation for pixel pairs

Finite Element Model (2)

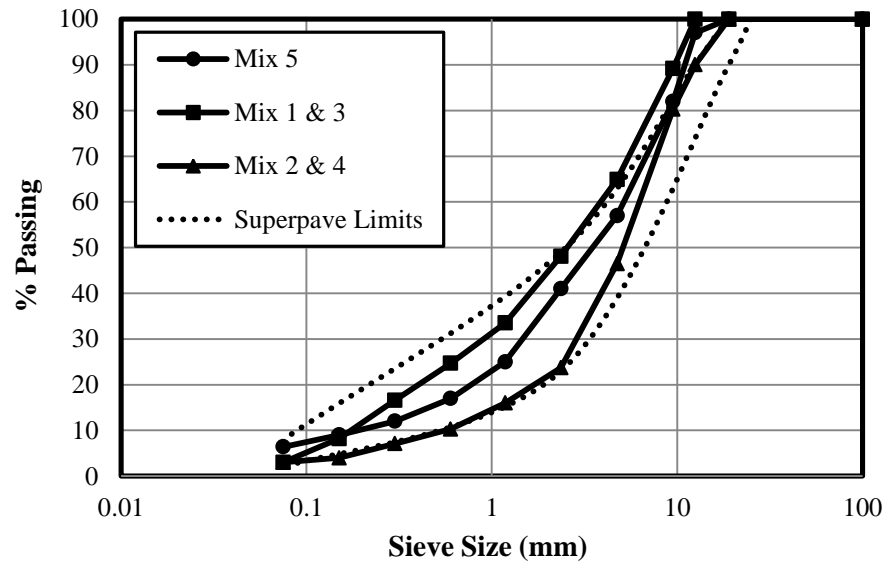
- AC considered as two-phase material: aggregate and mastic => binder + aggregates smaller than 1.13 mm)
- 4-node bilinear plane stress quadrilateral and reduced integration element (CPS4R)
- Pixels in binary image mapped into CPS4R elements in model



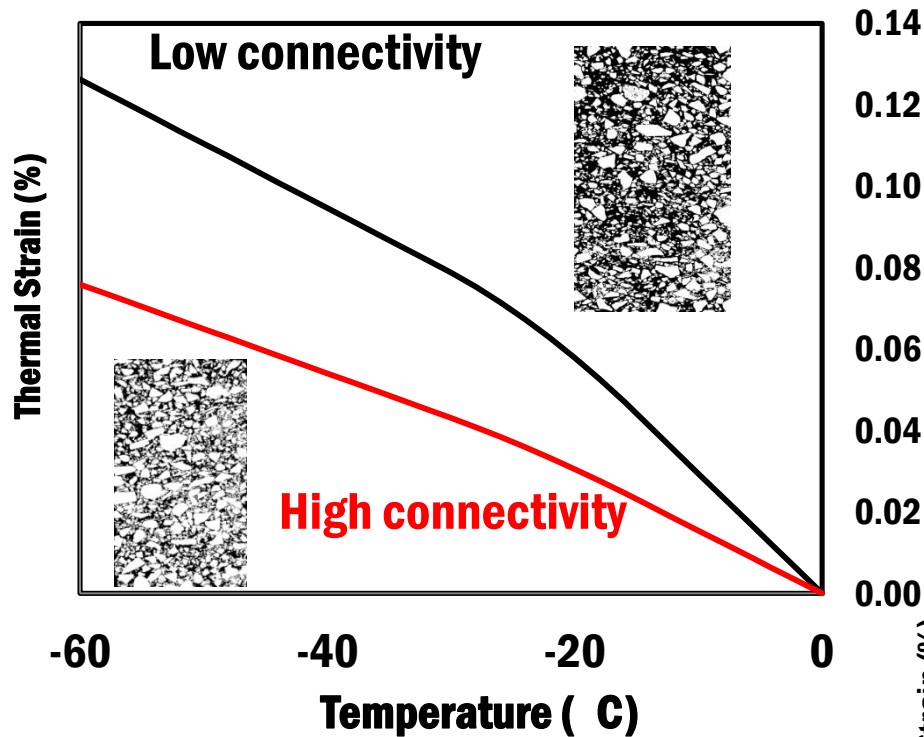
Finite Element Model Input (2)



Mixes with
different
gradations

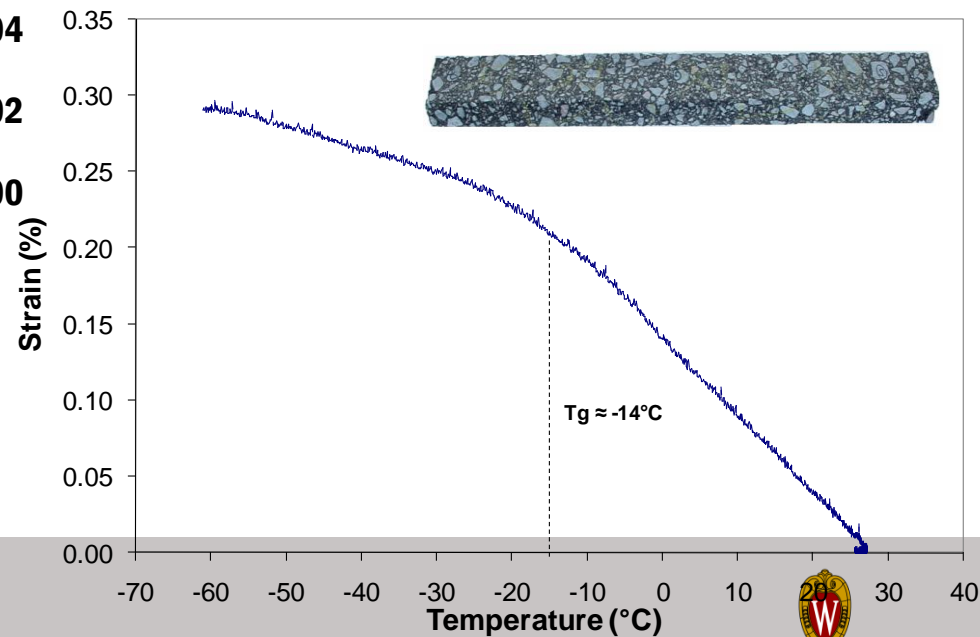


Thermo-Volumetric Response of AC

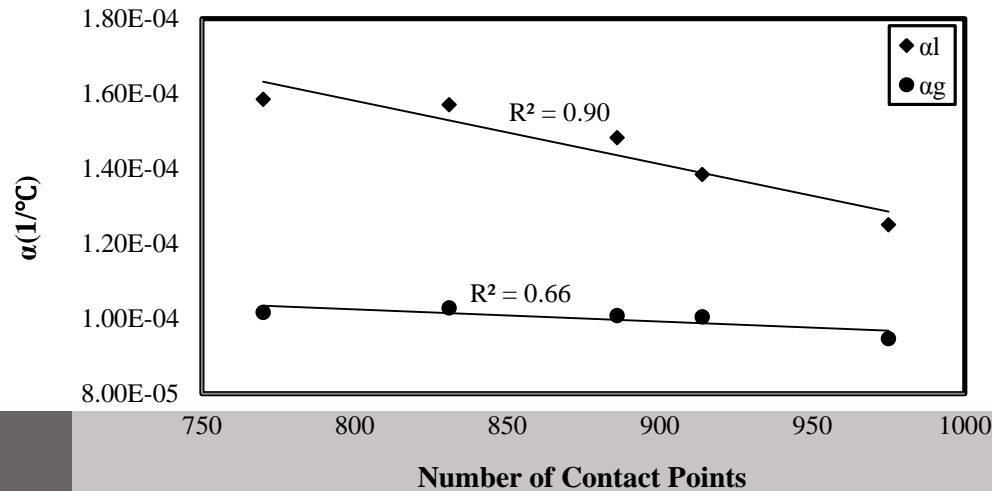
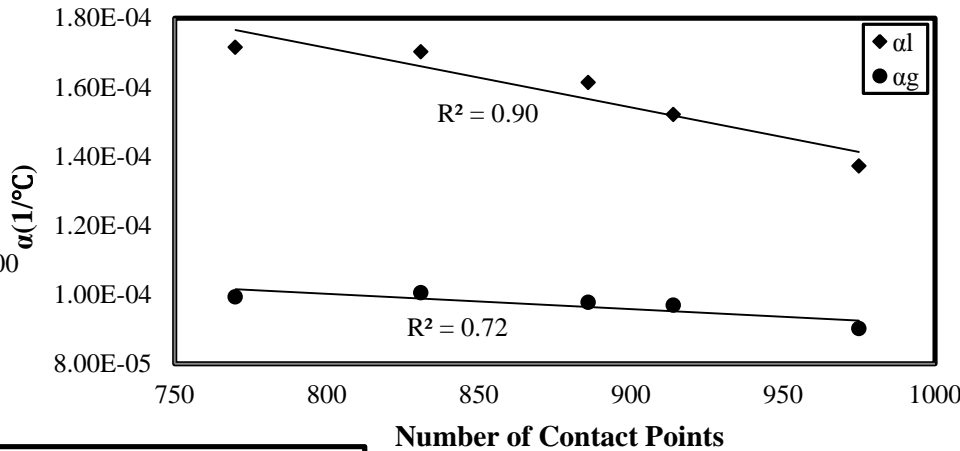
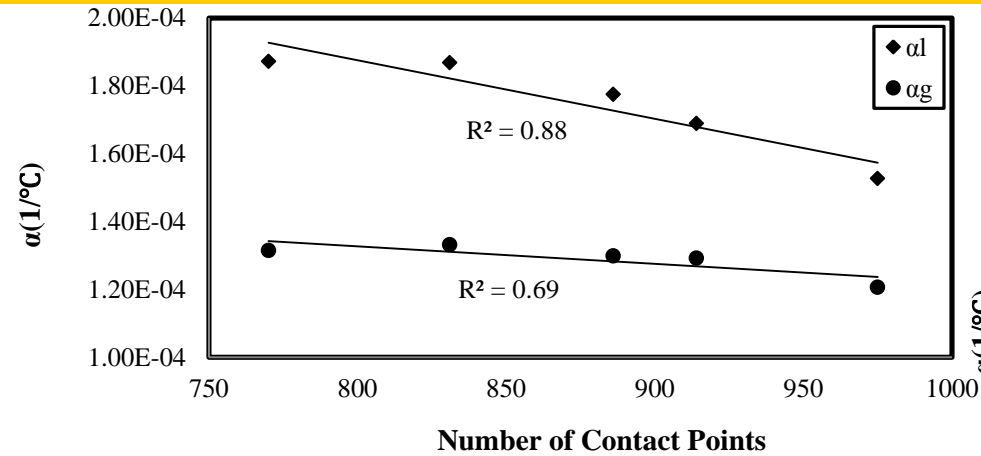


FE simulation

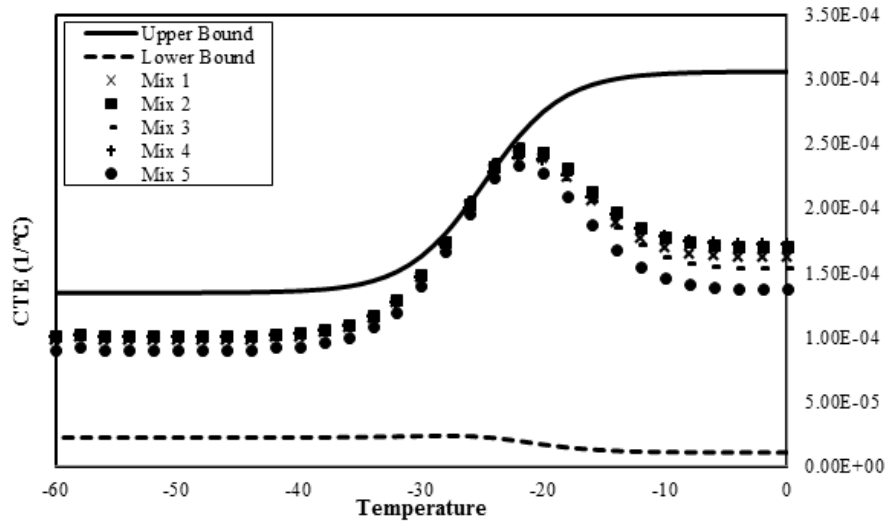
Typical measured



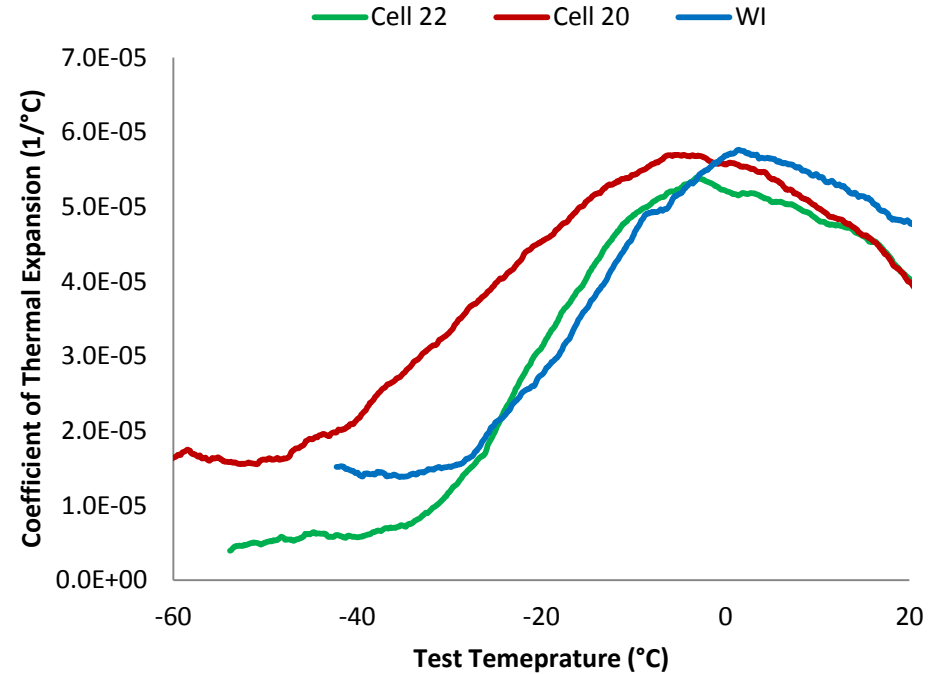
CTE vs Number of “Contact Points”



Typical results of simulations (2)



**Example of ABAQUS
simulation**



**Example of Experimental
Results**

Proposed Semi-empirical Micromechanics Model for CTE (2)

Based on the commonly used **Hirsch model** for estimation of modulus of asphalt mixes.

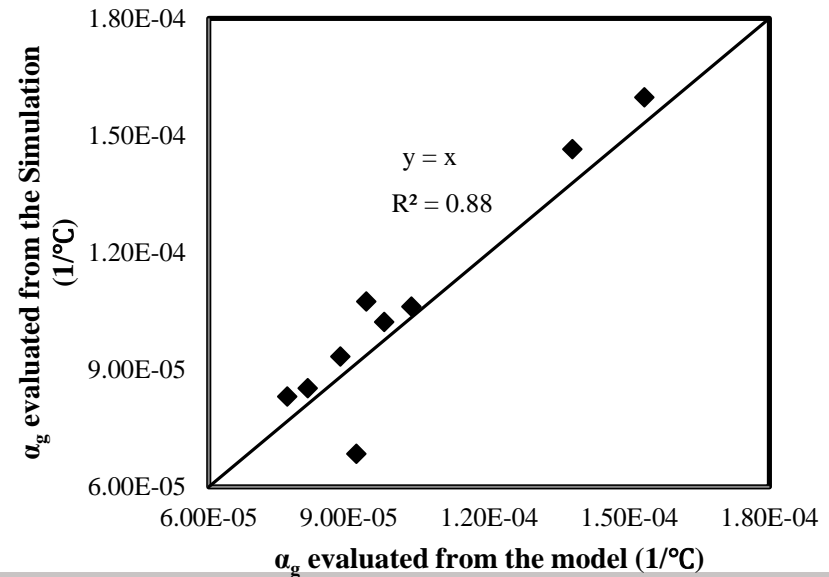
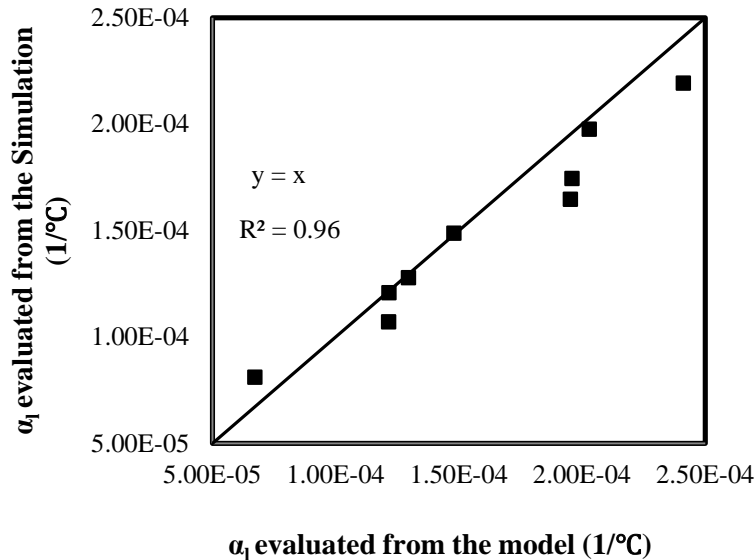
$$\alpha_{mix}^L = \alpha_{up}^L F + \alpha_{low}^L (1 - F)$$

$$\alpha_{mix}^G = \alpha_{up}^G F + \alpha_{low}^{LG} (1 - F)$$

- α_{up}^L and α_{up}^G are arithmetic mean of CTE of mastic and aggregate
- α_{low}^L and α_{low}^{LG} are harmonic mean of CTE of mastic and aggregate, which is a **function of stiffness ratio** ($E_{mastic}/E_{aggregate}$)
- F is an empirical function of mastic stiffness and aggregate contact points (internal structure)

Validation of model for CTE (2)

To validate model \Rightarrow 9 different mixtures which have different aggregate structures and mastic properties have been used

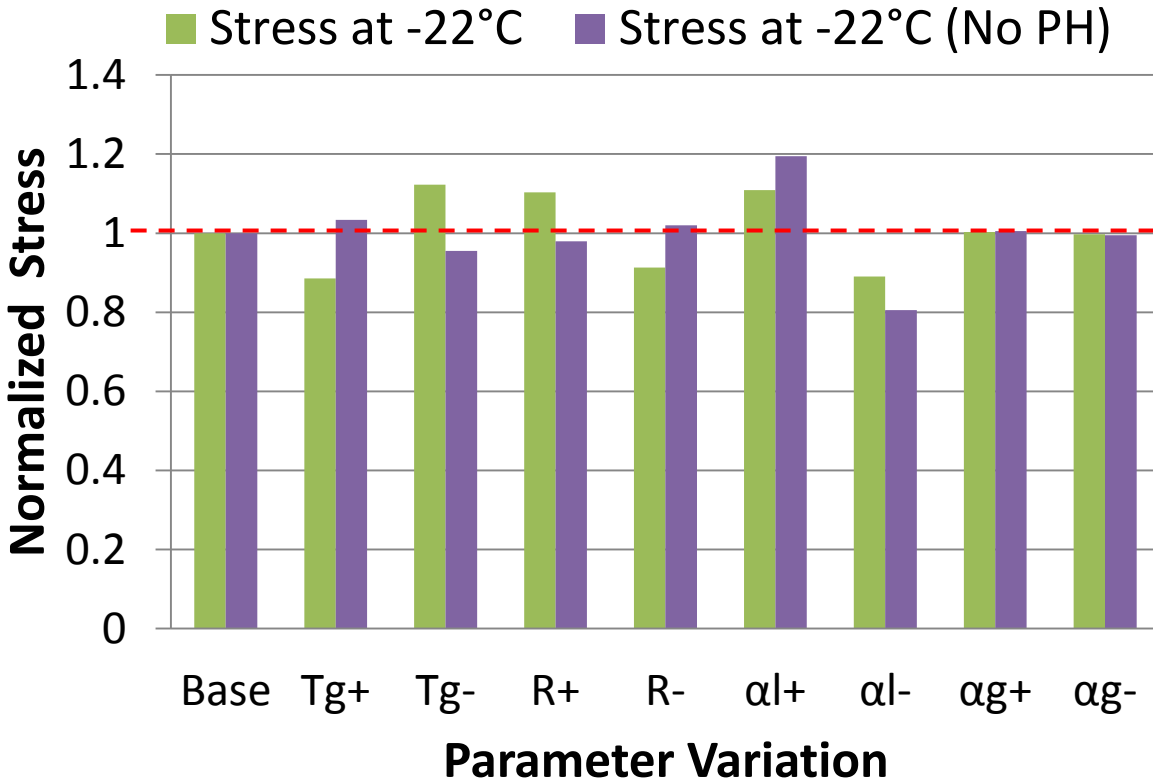


Thermal Cracking Sensitivity to Thermo-volumetric parameters (3)

		Run 1	Run 2	Run 3	Run 4	Run 5	Run 6	Run 7	Run 8	Run 9	Run 10	Run 11	Run 12	Run 13	Run 14	Run 15	Run 16	Run 17
Cooling	T_g	-17	-20	-13	-17	-17	-17	-17	-17	-17	-17	-17	-17	-17	-17	-17	-17	-17
	R	6	6	6	7	5	6	6	6	6	6	6	6	6	6	6	6	6
	α_l	5E-5	5E-5	5E-5	5E-5	5E-5	6E-5	4E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5
	α_g	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1.3E-5	9E-6	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5
Heating	T_g	-17	-17	-17	-17	-17	-17	-17	-17	-17	-20	-13	-17	-17	-17	-17	-17	-17
	R	6	6	6	6	6	6	6	6	6	6	6	7	5	6	6	6	6
	α_l	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	5E-5	6E-5	4E-5	5E-5	5E-5
	α_g	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1E-5	1.3E-5	9E-6

- **Analysis matrix** was designed to systematically vary thermo-volumetric parameters in cooling and heating
- Thermal stress model from **Tabatabaee et al., 2012** (submitted to TRB) used.
- Model accounts for thermo-volumetric parameters in cooling and heating and **effect of physical hardening**.

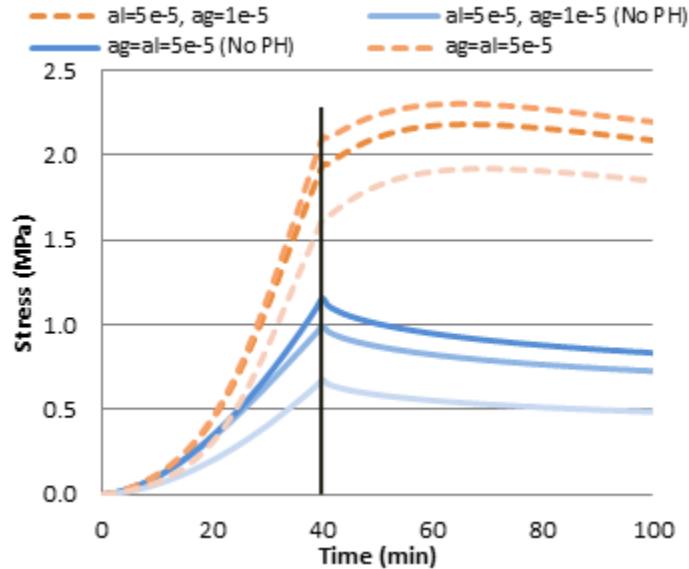
Thermal Cracking Sensitivity to Thermo-volumetric parameters (3)



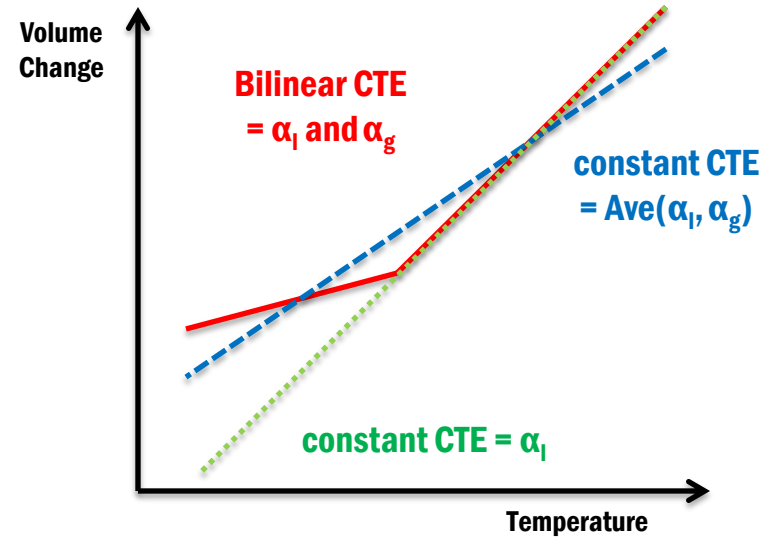
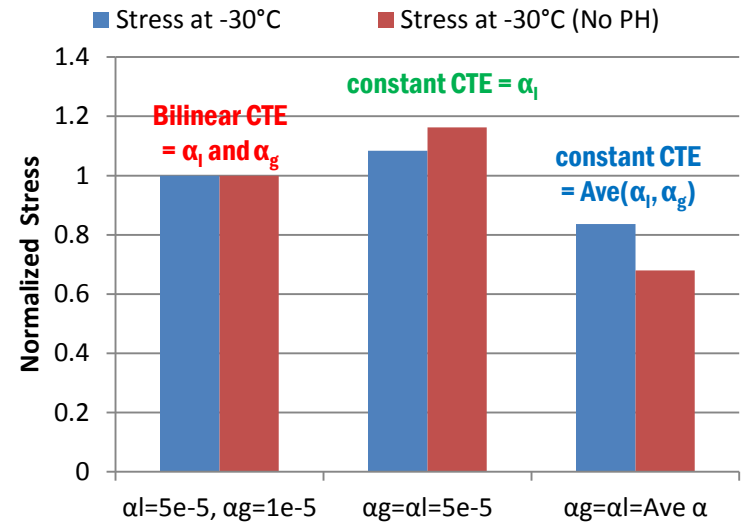
Thermal stress insensitivity to changes in α_g indicate that using a typical value for this parameter may be sufficient for calculations

Not taking α_g in thermal stress calculation can lead to significant errors

Thermal Cracking Sensitivity to Thermo-volumetric parameters (3)



Not taking α_g in thermal stress calculation can lead to significant errors



Conclusions – Task 5

- Thermo-volumetric behavior of AC can not be described only with volumetric information of constituents
- Information about internal structure of AC needs to be included in estimation of CTE
- Glass transition temperature of Binder is very similar to Mixture
- When taking into account **Physical Hardening**, thermal stress calculation is sensitive to: α_1 , T_g , width of T_g region
(R)